

# **Determining the Thermal Sensitivity of Optical Fibers Using High Order Fiber Bragg Gratings**

#### A. Lerner<sup>1,2</sup>, R. Cotillard<sup>1</sup>, T. Blanchet<sup>1</sup>, N. Roussel<sup>1</sup>, G. Bouwmans<sup>2</sup>, G. Laffont<sup>1</sup>



1 Université Paris-Saclay, CEA, List, F-91120, Palaiseau, France 2 Univ. Lille, CNRS, UMR 8523 – PhLAM – Physique des Lasers Atomes et Molécules, F-59000 Lille, France

#### Abstract

High temperature (> 700°C) measurements with wavelength-multiplexed Low Order Fiber Bragg Gratings (LO-FBGs) written using femtosecond lasers generally require the determination of transducer-specific calibration law in order to achieve sufficient accuracy. In this work, we propose to use High Order FBGs (HO-FBGs) to calibrate the waveguide response with respect to temperature (i.e. its thermal sensitivity). We show that the obtained unified calibration law can be subsequently applied to usual wavelength-multiplexed FBGs, in our case type III fs-FBGs, yielding measurement accuracies comparable to the reference thermocouple used for calibration between 25°C and 900°C.

## LO-FBGs & HO-FBGs

Point-by-point written gratings using focused femtosecond laser pulses

## **Thermal sensitivity determination**

Derivation of the Bragg wavelength relationship vs. temperature

Writing of void microbubble arrays with high refractive index contrast ► High temperature resistant (> 1000°C)



#### *λ-multiplexed LO-FBGs*

► Low-order (*m* < 5) resonances used for multipoint (quasi-distributed) sensing

►  $dT/d\lambda_B = f(\lambda_B) \rightarrow$  generally requires transducer-specific calibration for accuracy at high temperatures

Broadband response :





 $\blacktriangleright$  Assuming constant chromatic dispersion, the thermal sensitivity  $\beta(T)$  is obtained :

$$\frac{1}{\lambda_{\rm B}(T)} \frac{\mathrm{d}\lambda_{\rm B}(T)}{\mathrm{d}T} = \frac{1}{n_{\rm eff}(T)} \frac{\mathrm{d}n_{\rm eff}(T)}{\mathrm{d}T} + \frac{1}{\Lambda(T)} \frac{\mathrm{d}\Lambda(T)}{\mathrm{d}T} = \alpha(T) + \xi(T) = \boxed{\beta(T)}$$
  
intrinsic thermal sensitivity

Considering large temperature variation, its integration yields:

$$\int_{\lambda(T_0)}^{\lambda(T_1)} \frac{\mathrm{d}\lambda_{\mathrm{B}}}{\lambda_{\mathrm{B}}(T)} = \ln\left(\frac{\lambda(T_1)}{\lambda(T_0)}\right) = \int_{T_0}^{T_1} \beta(T) \mathrm{d}T$$

- Assuming  $\beta(T)$  a polynomial function, it can be determined by deriving the integrated wavelength ratio  $\ln[\lambda(T_1)/\lambda(T_0)]$  with respect to temperature.
- ► Calibration procedure with 2 HO-FBGs (m = 250 at 1550 nm):
  - 7 temperature steps  $(25^{\circ}C \rightarrow 900^{\circ}C)$
  - Derivation of  $\beta(T)$  for each HO-FBG peak

• Determination of global  $\beta(T)$  law by averaging the polynomial coefficients





#### Temperature measurement accuracy using $\lambda$ -mux FBGs and the intrinsic thermal sensitivity

- ► 3 thermal cycles ranging  $25^{\circ}C \rightarrow 900^{\circ}C$
- Same thermal history as HO-FBGs used for calibration
- Reference point for temperature estimation kept constant





► *T*<sub>error</sub> slightly differs for FBG1 & FBG2  $\rightarrow$  Manufacturing variability

Accuracy preserved for 3 cycles without re-referencing transducers

Accuracy compliant with standard for a type N class 1 TC (comparable to ref. TC)

Cycle

Temperature error evolution on three consecutive cycles (same reference point, same sensitivity law)

800 **Temperature (°C)** Temperature error averaged for each step temperature

#### Conclusions

► The proposed approach allow to calibrate the thermal response of point-by-point written fs-FBGs using a component with a broadband comb-like spectral response the HO-FBG – which presents the same behavior as wavelength-multiplexed LO-FBGs used for long range multipoint sensing.

• We show that the temperature determination through the integration of the sensitivity function allows to reach measurement accuracies comparable to a type N thermocouple.

► This method is applicable to multiplexed LO-FBGs, and the used of the HO-FBGs allowed to highlight the existence of a material-dependent calibration law, which is dependent of the material composition, manufacturing parameters and annealing strategy.

More about this approach and measurement performance: A. Lerner et al. Opt. Laser Technol. 2023. In press. doi:10.1016/j.optlastec.2023.110278

**CONTACT** guillaume.laffont@cea.fr

