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High-precision measurement of the ${}^6\text{He}$ half-life

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The half-life of ${}^6\text{He}$ has been measured using a low-energy radioactive beam implanted in an YAlO_3 Ce-doped inorganic scintillator and recording decay events in a 4π geometry. Events were time-stamped with a digital data acquisition system enabling a reliable control of dead-time effects and detector gain variations. The result, $T_{1/2} = (807.25 \pm 0.16_{\text{stat}} \pm 0.11_{\text{sys}})$ ms, provides the most precise value obtained so far and is consistent with the only previous measurement having a precision smaller than 0.1%. This resolves the long-standing discrepancy previously observed between two sets of measurements.

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I. INTRODUCTION

The study of the ${}^6\text{He}$ β decay has been instrumental in establishing the $V-A$ character of the weak interaction [1,2]. The simplicity of the decay has regained considerable attention in the past decades as a sensitive window to probe the electroweak standard model in the sector involving the lightest quarks. Experiments using trapped ${}^6\text{He}^+$ ions [3] or atoms [4] have been performed to address the β -neutrino angular correlation and ancillary measurements have been carried out to study atomic effects following β decay [5,6]. New techniques have been proposed to determine the Fierz interference term from the β -energy spectrum [7–9] and selected observables of the transition have been the object of detailed theoretical studies to assess the sensitivity of future experiments to new physics [10,11].

One of the properties that makes the ${}^6\text{He}$ decay attractive is the fact that the transition to the ${}^6\text{Li}$ ground state is pure Gamow-Teller (GT). As a result, the correlation terms in the decay rate distribution or the shape of the β energy spectrum are, to first order, independent of the dominant nuclear matrix element, denoted c in Ref. [12]. However, due to induced form factors in the hadronic weak currents, this matrix element enters recoil order corrections in ratios with the weak magnetism form factor [12]. These corrections are important, for instance, in the extraction of the Fierz interference term from measurements of the shape of the β -energy spectrum.

The value of c extracted from Ref. [13] has a relative uncertainty of 3.6×10^{-4} so that taking only this value would result in a negligible impact for the extraction of the Fierz term

from a measurement of the spectrum. However, as pointed out in Ref. [13], the prior internal consistency of the ${}^6\text{He}$ half-lives, having an uncertainty smaller than 1%, is very poor. A fit to the five most precise values prior to 2012 (Fig. 14) gives $T_{1/2} = 800.6 \pm 0.8$ with $\chi^2/\nu = 6.95$ with $\nu = 4$. Resolving this discrepancy requires a new measurement with comparable precision to the one reported in Ref. [13] and preferably with a technique having different sensitivity to the main sources of systematic effects.

We report here a high-precision measurement of the ${}^6\text{He}$ half-life using a digital data acquisition system which provides a time stamp when recording the energy of the β particle. The setup includes an ${}^{241}\text{Am}$ source which is constantly monitored in order to control gain variations.

II. EXPERIMENTAL SETUP

A. Beam transport and time sequence

The experiment was performed at the Grand Accélérateur National d'Ions Lourds (GANIL), Caen. The ${}^6\text{He}^+$ ions were produced by the SPIRAL target-ECR ion source system and were guided at 25 keV to the low-energy beam line LIRAT after mass separation by a dipole magnet. The beam was chopped with a fast electrostatic deflector located upstream from the last dipole of the beam line. The electrostatic deflector was controlled with a Stanford Research Systems DG645 pulse generator which also synchronized the motion of the detection system (see below) and the data acquisition. The vacuum chamber (Fig. 1) is split in two sections with independent pumping systems. To reduce contamination by ${}^6\text{He}$ atoms, a stainless steel plate with a 35-mm-diam hole separates the two sections. The beam was transported through

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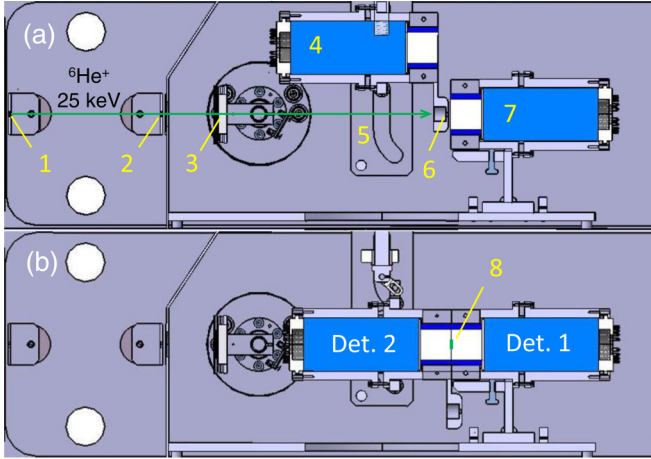


FIG. 1. Sectional view of the vacuum chamber for the (a) implantation and (b) data-taking configurations. The labels in (a) are as follows: 1 and 2, the two 6-mm-diam collimators in the first section of the chamber; 3, the movable Si detector; 4 and 5, the moving detector and its mechanical guide; 6, the third 4-mm-diam collimator; and 7, the fixed detector. The green arrow indicates the ${}^6\text{He}^+$ beam. In (b), label 8 indicates the implantation region.

two 6-mm-diam collimators located at the entrance and exit of the first section of the chamber [Fig. 1(a)]. During beam tuning, a movable Si detector was inserted at the entrance of the detection section to measure the incoming beam intensity.

The detection setup was designed for precision measurements of both β -energy spectra and half-lives of specific radioactive species. A 4π calorimetry coverage is achieved using two detectors. One of the detectors is fixed and aligned along the beam line whereas the other is mounted on a fast actuator controlled by the DG645 pulse generator. The ${}^6\text{He}^+$ beam is implanted on the front face of the fixed detector at a mean depth of about 130 nm as determined by TRIM, while the moving detector is located out from the beam [Fig. 1(a)]. In this configuration, the beam passes across a third 4-mm-diam collimator located a few millimeters from the fixed detector surface.

The time sequence consists of an implantation interval of typically $T_{\text{imp}} = 2.5$ s, followed by a 1-s waiting interval during which the movable detector is brought in contact with the fixed detector, and finally a measuring interval of duration T_{acq} . The movable detector remains in the measuring position [Fig. 1(b)] during data taking before being lifted up to start over a new cycle.

This closed geometry with two detectors ensures the full collection of β particles emitted by the implanted ions and prevents any partial energy loss due to backscattering. The duration of the data-taking sequence was adjusted to be long enough so as to obtain a precise measurement of the ambient background. Hereafter, the fixed and movable detectors are referred to as “Det1” and “Det2,” respectively. The transit times of Det2 were measured to be 0.8 s on the way down and 1.7 s on the way up. The loss of activity between the end of the implantation interval and the beginning of the measurement was thus limited to 50%. The total transit time of 2.5 s for

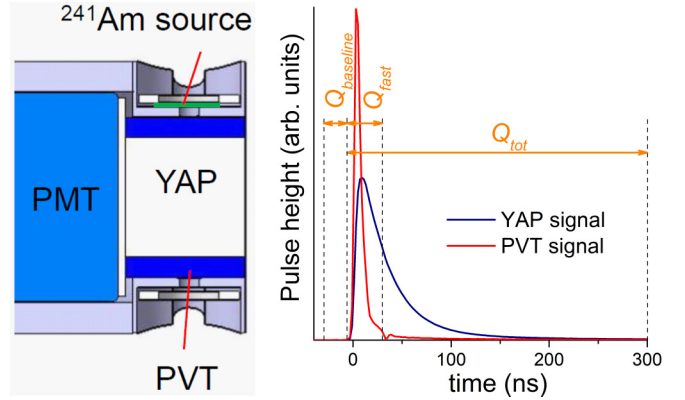


FIG. 2. Left: Cross-sectional view of a detector with the two scintillators coupled to a single PMT in a phoswich configuration and the location of the ${}^{241}\text{Am}$ source. Right: Typical signals from the PVT and YAP along with the three charge integration intervals.

a cycle duration of about 20 s does not lead to a significant loss of statistics. The motion of the detector was intensively tested for several days with 20-s-duration cycles prior the experiment. These tests have shown no degradation of the detector signals. The fair contact between the two detector faces while in data-taking position was also checked before and after the experiment by pinching 20- μm -thickness sheets at different places of the contact surface.

B. β -particle detectors

The two detectors, Det1 and Det2, are identical. Each of them is composed of a cylindrical 30×30 mm² YAlO₃ Ce-doped inorganic scintillator (YAP) surrounded by an EJ-204 plastic scintillator (PVT) with external diameter of 40 mm (Fig. 2). The scintillators are mounted in a phoswich configuration in which the YAP and the PVT are read out by a single R7723 photomultiplier tube (PMT) from Hamamatsu. The aluminum detector housing serves in part as a shield and ensures also some pressure to produce a fair optical contact between the PMT, the optical coupling grease, and the scintillators. Two circular hollows at the front of the housing allow the insertion of calibration sources.

A 5-kBq ${}^{241}\text{Am}$ source was permanently mounted on each detector to provide a constant calibration reference using the 59.54-keV photons. These interact mostly in the YAP volume whereas the ≈ 5 -MeV α particles are stopped in the PVT, which also serves as a veto to reject background events. The detection of the α particles by the PVT is used to monitor PMT gain variations. A 225- μm layer of Tyvek with a 5-mm-diam hole in front of the ${}^{241}\text{Am}$ source was wrapped around the PVT to improve the light collection. The faces of both detectors which get into contact are free of any reflector or dead layer. As a result, when scintillation light is generated in one of the detectors, about 80% of the light is collected by its own PMT while the other 20% is collected by the PMT of the other detector.

The choice of YAP crystals resulted from a compromise between a fast response, an acceptable energy resolution, as well as differential linearity over the largest possible energy

range [14,15]. The YAP time decay constant of 27 ns is short enough to limit pileup contributions but significantly longer than the PVT decay time of 2 ns. This leads to a clear discrimination between the PVT and YAP signals by pulse-shape analysis. Typical signals from the PVT and from the YAP scintillators are shown on the right panel of Fig. 2. Moreover, the high photon detection efficiency of YAP allows the use of the photopeaks from γ sources for offline energy calibrations. The nominal PMT polarization voltages used for Det1 and Det2 were -1620 and -1420 V, respectively. These values were chosen in order to ensure a linear response of the detectors over the full β -energy range (up to 3.5 MeV) and also to match their relative gain.

The response functions of the detectors were studied in detail prior to installing the detectors inside the vacuum chamber, using ${}^{241}\text{Am}$, ${}^{22}\text{Na}$, ${}^{137}\text{Cs}$, and ${}^{60}\text{Co}$ sources, as well as γ rays from ${}^{208}\text{Tl}$. Small PMT gain variations between the measurements with different sources were corrected using the reference provided by the α particles interacting in the PVT. Deviations from linearity were found to be smaller than 4 keV over the 60 keV to 2.6 MeV range covered by the calibration sources. However, these deviations are most likely due to the fit of the photopeak which neglects the presence of the overlapping Compton or multi-Compton distributions. The energy resolution was 6.7% at 662 keV and 5.5% at 1332 keV.

Before and after the experiment, data were recorded again with the detectors under the experimental conditions and using ${}^{241}\text{Am}$, ${}^{22}\text{Na}$, ${}^{137}\text{Cs}$, and ${}^{60}\text{Co}$ sources to check the response function of the detectors.

C. Data acquisition system

The analog signals from the two PMTs and a logic pulse from the DG645 generator were directly sent to three input channels of the digital data acquisition system FASTER [16]. Each channel digitizes the signal at a rate of 500 MS/s with each sample converted over 12 bits. The triggers of the channels are independent based on individual thresholds. The digitized samples are processed in real time by field-programmable gate arrays using predefined algorithms adapted to the measurements to be performed [16]. All samples are time-stamped with a 2-ns resolution allowing online and offline correlations within user-defined time windows. For the two PMTs, the selected algorithm provided the charge integration of the signals within four different time windows relative to the trigger time. The first window was set between -30 and -6 ns to obtain the charge Q_{baseline} which provides an estimate of the baseline level (Fig. 2, right panel). The second and third windows were set between -6 and 30 ns and between -6 and 300 ns, respectively. They enable to cover the PVT fast signals (charge Q_{fast}) and the slower signals from the YAP (charge Q_{tot}). The ratio $Q_{\text{fast}}/Q_{\text{tot}}$ serves for pulse-shape analysis and signal discrimination. A fourth window between -30 ns and $1 \mu\text{s}$ was also set to study afterpulses and pileup effects. With these settings, the intrinsic dead time of the acquisition system was 1030 ns. The logic pulse from the DG645 generator was used to provide a time reference for each measurement cycle. The baseline of the three signals was

TABLE I. The five experimental conditions of the recorded data. T_{acq} is the duration of the measuring window, $\langle N_0 \rangle$ is the average number of detected ${}^6\text{He}$ decays per cycle with an energy threshold of 300 keV, and ΔV_{PMT} indicates the difference in the PMT bias relative to the nominal voltage. The last column lists the number of recorded cycles.

Set	Set name	T_{acq} (s)	$\langle N_0 \rangle$	ΔV_{PMT} (V)	Cycles
1	Short cycles	11	6130	0	3050
2	Long cycles	26	20900	0	620
3	Lower bias/short	11	7140	-50	1930
4	Shutter/short	11		0	200
5	Shutter/long	26		0	115

continuously monitored for each channel and corrected for low-frequency variations (below 160 kHz) by the FASTER baseline restoration algorithm. The trigger threshold of the two PMT channels was set to 5 mV, which corresponds to a minimum deposited energy of about 4 keV. The stability and accuracy of the internal clock of the FASTER system is smaller than 1 ppm and the associated systematic uncertainty on the half-life measurement is thus negligible relative to other corrections.

III. DATA ANALYSIS

To study systematic and background effects, five different experimental conditions were adopted resulting in five statistically independent data sets. The three parameters which were changed among the sets were the cycle duration T_{acq} , the initial activity, and the bias voltages of the PMTs. A measurement of the ambient background with beam on but without any implantation was also performed using a 0.4-mm-thick aluminum disk fully covering the third collimator. For these runs, the incident beam intensity was adjusted so as to match the conditions of the short and long cycle runs at nominal PMT voltages, defining the conditions of sets 4 and 5, respectively. The different sets and the corresponding number of cycles are summarized in Table I.

For sets 1, 2, and 3, runs were devoted at the beginning of each measurement to record signal waveforms which provided evidence of the presence of afterpulses in the range between 400 ns and $1 \mu\text{s}$ after the trigger. This prevented the use of the fourth charge integration window for the extraction of the ${}^6\text{He}$ half-life.

A. Baseline and gain corrections

A precise absolute energy calibration is not required for a precise half-life measurement. However, it is crucial to control baseline and gain variations within the decay cycle which could result in a change of the effective energy threshold imposed to the data.

The method described below is based on monitoring the time dependence of the 59.54-keV line from the ${}^{241}\text{Am}$ source. The calibrations of Det1 and Det2 were performed independently for each set of measurements. The method is illustrated here with data from set 1 and for Det1. First, a

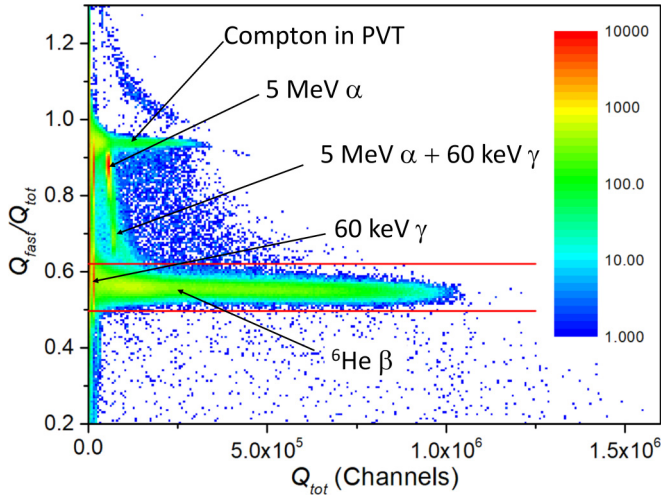


FIG. 3. 2D plot of the the ratio $Q_{\text{fast}}/Q_{\text{tot}}$ versus the total charge for signals from Det1. The contributions of the different particles are indicated. The horizontal red lines define the window of events due to an interaction in the YAP volume only. The plot was obtained for a 1-hour run under conditions of set 1.

two-dimensional (2D) plot of the ratio $Q_{\text{fast}}/Q_{\text{tot}}$ versus Q_{tot} is built which enables particle identification through pulse-shape discrimination. Events associated with scintillation light generated by the YAP only are then selected by setting a window over $Q_{\text{fast}}/Q_{\text{tot}}$ between 0.5 and 0.62 (Fig. 3).

The cycles were then sorted as a function of the signal to background ratio (SBR) defined as the number of ${}^6\text{He}$ decay events divided by the average constant background measured within a single cycle. The SBR was obtained for each cycle using a fit of the time distribution with an exponential decay plus a constant. The SBR distribution for set 1 is shown in Fig. 4. Five groups of SBR values containing comparable number of cycles were then defined. Cycles with SBR smaller than 5.0 were definitely discarded from the analysis as their very low statistics can lead to fitting convergence problems in the half-life extraction. The small cluster at $\text{SBR} \approx 25$ in Fig. 4 was also excluded from the baseline and gain correction model because of its low statistics, but the corresponding

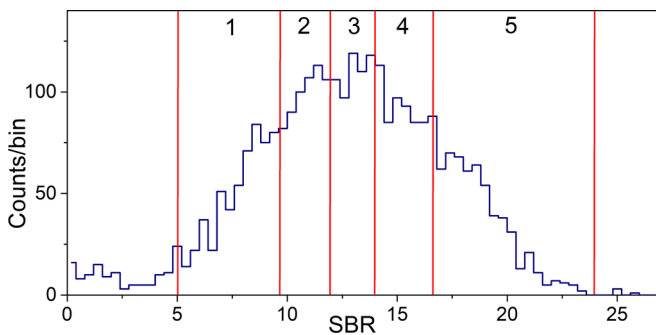


FIG. 4. Distribution of SBR for set 1. The groups for different values of SBR, labeled from 1 to 5, are indicated by the vertical red lines.

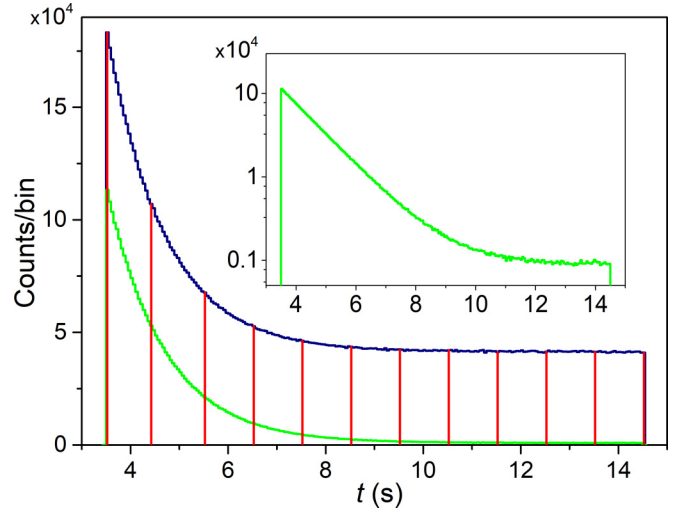


FIG. 5. Events collected during a 1-hour-long run under conditions of set 1 as a function of the time within a cycle. The vertical red lines indicate the separation between the time windows selected for the gain variation correction. The beginning of the beam-on period is at $t = 0$ and the measurement period starts at $t = 3.5$ s. The blue histogram corresponds to the total number of events, including those from the ${}^{241}\text{Am}$ source. The green histogram shows those events remaining after the $Q_{\text{fast}}/Q_{\text{tot}}$ charge selection and an energy threshold of 100 keV. One bin corresponds to 50 ms.

cycles were included in the data used for the final half-life estimate.

For each group of cycles, events were then sorted according to their detection time within the cycle, using successive windows of 1 s duration (Fig. 5). For each set of events corresponding to a given time window and a given SBR window, the charge distribution Q_{tot} of the 59.54-keV photopeak and the Q_{baseline} distributions were fitted using Gaussian functions [Figs. 6(a) and 6(b)]. The mean values (M_{tot} and M_{baseline}) obtained from these fits are plotted in Figs. 6(c) and 6(d) as a function of time for the five different windows of SBR. A significant gain variation, close to 2%, is observed in Fig. 6(c) between the beginning and the end of the measurement period. A baseline variation is also visible but has a smaller impact. For each SBR window, the data of Figs. 6(c) and 6(d) were then fitted with functions of the form $P_0 + P_1 e^{-t/\tau_G}$ where τ_G is a common parameter for the five different SBR windows.

The gain and baseline correction models were completed by extracting parameters P_0 and P_1 from fits of the mean values of the charge distributions as a function of time for each SBR window. For the gain correction, the parameters are illustrated in Figs. 7(a) and 7(b). The parameter P_1 is here the most relevant one since it causes a time dependence of the gain and of the baseline. It was found to depend linearly on the SBR value for both the gain and baseline distributions. For the gain correction model, P_0 was extracted using an exponential function whereas it was taken as constant for the baseline correction model.

Using these models, Det1 and Det2 were independently calibrated for each time window within a cycle and using the parameters associated with the SBR value of the cy-

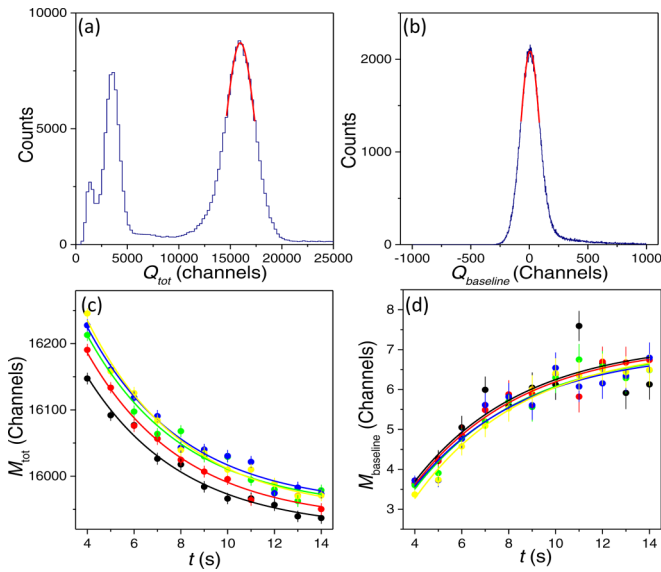


FIG. 6. [(a), (b)] Close-up of the Q_{tot} and Q_{baseline} distributions associated to a SBR window and a time window. The red lines show the fits of (a) the 59.54-keV photopeak and (b) the baseline. [(c), (d)] The data points show the mean values resulting from the fits as a function of time for (c) the 59.54-keV photopeak and (d) the baseline. Black, red, green, blue, and yellow correspond respectively to the SBR windows 1 through 5. The lines are the exponential fit functions obtained for each SBR set.

cle. Calibrated data from both detectors were then summed up for each event and scaled by a final calibration coefficient of 0.82, evaluated run by run, which accounts for the light cross-talk between the detectors for photons of 60 keV. Figure 7(c) shows an example of the values from the fits of the 59.54-keV photopeak, as a function of time, with (blue) and without (magenta) applying the gain and baseline corrections.

B. Background sources

The background rate was assumed to be constant during a cycle. The measuring cycle was divided in two halves and the energy spectrum corresponding to decay events was then obtained by subtracting the spectrum recorded during the second half from the spectrum recorded during the first half. The resulting energy spectra obtained for sets 1 and 4 are shown in Fig. 8. The black histogram corresponds to set 1 and shows two contributions. The first is the β -energy spectrum extending up to 3.5 MeV and the second is a low-energy distribution with a peak at about 0.1 MeV. The decay time of this distribution is consistent with the ${}^6\text{He}$ half-life and thus the contribution was attributed to bremsstrahlung radiation of electrons from ${}^6\text{He}^+$ decay, for ions implanted in the third collimator. This was confirmed by the analysis of data from set 4, shown by the green histogram in Fig. 8. We recall that the data for this set were obtained with a shutter located inside the third collimator in order to prevent any implantation on the detector. The theoretical β -energy spectrum, convoluted with the detector response function, is shown by the blue histogram. The sum of the blue and

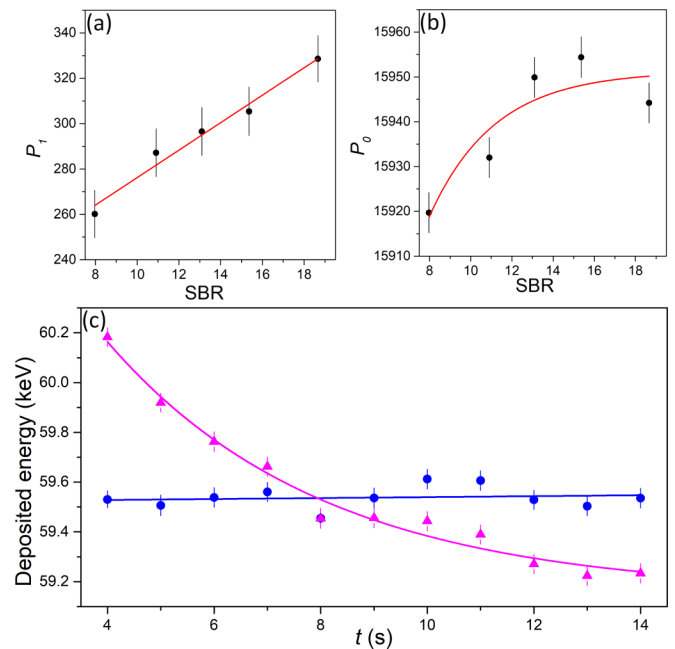


FIG. 7. Parameters (a) P_1 and (b) P_0 for the gain correction model for the five values of SBR; (c) results from fits of the 59.54-keV photopeak as a function of time without (magenta) and with (blue) the gain and baseline corrections.

green distributions is displayed by the red histogram which fairly reproduces the data from set 1 (inset in Fig. 8). This bremsstrahlung background does not affect the measurement since it decays with the same half-life. Furthermore, by setting an energy threshold above 0.6 MeV, its contribution represents 0.5% of the number of events associated with the β -particle detection.

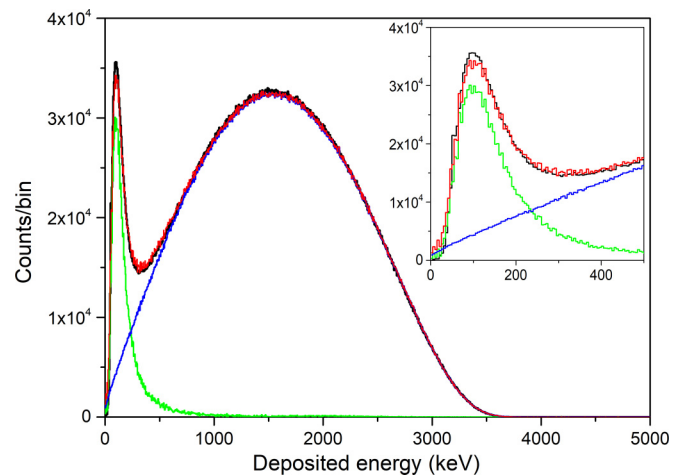


FIG. 8. Energy spectra for sets 1 (black histogram) and 4 (green histogram) after background subtraction. The blue histogram is the theoretical β -energy spectrum including the convolution with the detector response function. The red histogram is the fit to the black spectrum with a combination from the blue and green spectra. The green and blue distributions are normalized using the parameters from the fit.

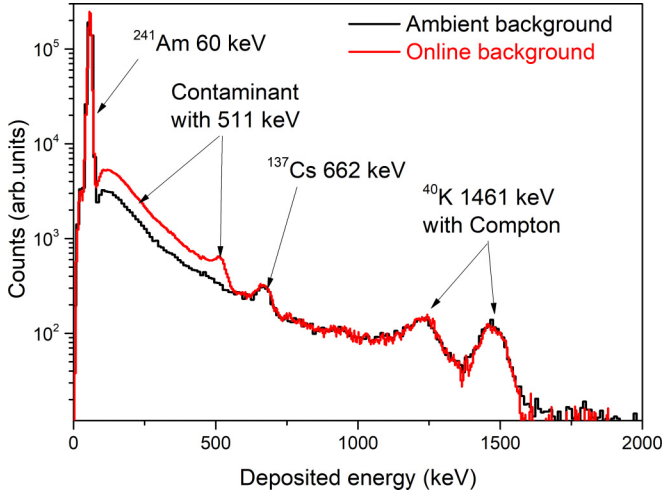


FIG. 9. Energy spectra for ambient background (black histogram) and for constant or long half-life background recorded online for one run of data set 1 (red histogram). The black histogram was normalized to the red one by using the 59.54-keV peak from ^{241}Am .

Conversely, the selection of data in the second half of the measurement cycle suppresses the contribution due to ^6He decay. To fully subtract this contribution, a proper normalization factor was used on the spectrum measured during the first half of the cycle. This normalization factor was determined assuming that events with an energy deposit larger than 2 MeV were solely due to ^6He decay. The resulting energy spectrum is shown in Fig. 9 (red histogram) and corresponds to a constant or long half-life background compared to ^6He . The peak at 59.54 keV is from the monitoring ^{241}Am source and the photopeaks at 662 and 1461 keV are from a ^{137}Cs source of a dose rate meter located in the experimental area and from ambient ^{40}K , respectively. Compared to the ambient background spectrum recorded before and after the online experiment (black histogram), an excess of events is observed below 0.6 MeV, with a peak due to 511-keV photons. This contaminant was not clearly identified and its half-life was found too long to be measured with the cycle length chosen for the experiment. A lower limit of 330 s (95% confidence level) could, however, be extracted from this background analysis. The average detection rate of this contaminant contribution was found to be ≈ 14 cps and it can be fully suppressed by applying an energy threshold of 0.6 MeV. The ambient background contribution was constant during the experiment.

C. Dead-time correction

To study systematic effects due to dead time, a common recipe [13] consists of using analog parallel channels with different nonextensible dead times in the data acquisition. With precisely time-stamped events recorded by the digital system, the data were first filtered offline by imposing several dead times τ_{DT} ranging from 1.03 to 7 μs . To study further possible bias due to background contributions or imperfections of the gain and baseline corrections, the data were

additionally filtered using energy thresholds ranging from 0.1 to 1.2 MeV.

The probability to miss a decay event at time t within a cycle because of dead time can be expressed as $\tau_{DT} r_T(t)_i$, where τ_{DT} is the nonextensible dead time and $r_T(t)_i$ is the total instantaneous rate of events that could potentially trigger the data acquisition system during cycle i . This rate is given by

$$r_T(t)_i = r_{0i}e^{-t/\tau_i} + r_{bi}, \quad (1)$$

with r_{0i} the total initial decay rate and r_{bi} the total rate of background events. First, the parameters r_{0i} , τ_i , and r_{bi} which enter Eq. (1) were obtained by fitting the rate of detected events for each cycle, $r_D(t)_i$, without threshold condition, and using the correction accounting for losses due to dead time,

$$r_D(t)_i = \frac{r_T(t)_i}{1 + \tau_{DT} r_T(t)_i}. \quad (2)$$

If only the dead-time effect was present, for a given dead time τ_{DT} , the occurrence of an event at time t should be weighted by a coefficient

$$w(t)_i = 1 + \tau_{DT} r_T(t)_i. \quad (3)$$

However, pileup effects must also be considered and can be included in the weighting coefficient.

D. Pileup effects

An offline energy threshold condition, labeled j , was also applied to the data. With this condition, the rate of selected events is then given by

$$r_D(t)_{ij} = r_D(t)_i P_E(t)_j, \quad (4)$$

where $P_E(t)_j$ is the probability for the measured deposited energy to be above the energy threshold E_j . To first order, $P_E(t)_j$ should be independent of time but the occurrence of pileup events during the charge integration window can lead to a small time-dependent correction. When a pileup occurs within the window, the recorded charge and its associated energy will naturally be larger than for each of the events producing the pileup. The recorded event has then a larger probability to result in an energy above the threshold. The pileup probability is proportional to the instantaneous rate in the decay cycle. This leads to an excess of events with an energy above threshold for high rates as compared to low rates and would result in an underestimation of the half-life if not properly corrected.

The instantaneous energy-independent probability for a decay event to pile up with another decay event within a cycle i is given by

$$P_{pu}(t)_i = r_{0i}e^{-t/\tau_i} \Delta T, \quad (5)$$

where r_{0i} and τ_i are the parameters determined from the fit of Eq. (1) and $\Delta T = 300$ ns is the duration of the charge integration window.

The excess of detected events due to pileup can then be expressed as

$$r_E(t)_{ij} \approx P_{pu}(t)_i (d_j - s_j) r_{0i} e^{-t/\tau_i}, \quad (6)$$

where s_j and d_j are respectively the time-independent probabilities for an energy conversion to be above threshold for single events and for pileup events involving two signals. The contribution to the half-life of pileup events involving three or more signals was estimated to be smaller than 10^{-7} s and hence negligible. Otherwise, the expected rate without pileup contribution would be

$$r_R(t)_{ij} = s_j r_{0i} e^{-t/\tau_i} + b_j r_{bi}, \quad (7)$$

where b_j is the time-independent probability to be above threshold for background events.

The probabilities s_j and b_j to get a signal above threshold E_j for single events were calculated from the deposited energy distribution of ${}^6\text{He}$ decay events and background events, respectively (Figs. 8 and 9). The expected energy distribution for ${}^6\text{He}$ pileup events was deduced using the autoconvolution of the energy distribution obtained for ${}^6\text{He}$ single events. The mean probability, d_j , for a pileup event within 300 ns to be above threshold was then determined. The fraction of the charge of the second signal that is lost when overlapping with the end of the integration window was accounted for in this calculation. Note that the effect of pileup events involving the constant ambient background and the contaminant contribution discussed in Sec III B were neglected in Eq. (6) since the associated correction was estimated to be below 10^{-6} s.

Finally, the relative rate excess of detected events as a function of time can then be approximated by

$$\alpha_E(t)_{ij} = \frac{r_E(t)_{ij}}{r_R(t)_{ij}}, \quad (8)$$

and the weighting coefficient which accounts for both dead-time and pileup effects becomes

$$w(t)_{ij} = \frac{1 + \tau_{DT} r_T(t)_i}{1 + \alpha_E(t)_{ij}}. \quad (9)$$

For simplicity in the discussion above, a given value of the dead time, τ_{DT} , was taken in all expressions. Changing this value corresponds to an additional condition, labeled k here below, so that the weights in Eq. (9) become $w(t)_{ijk}$.

E. Fit procedure

After applying a given dead time and energy threshold, the weighted events from all cycles within a measurement set were summed up and binned. The weighted number of counts in a bin is then $n(t)_{jk} = \sum_i w(t)_{ijk}$ and the variance is $\sigma_{jk}^2 = \sum_i w^2(t)_{ijk}$, where the sums run over the cycles and also over all events within each cycle. The corrected data were finally fitted assuming a constant background. For a given dead time and energy threshold, the fit function can be expressed as

$$f(t)_{jk} = A_{jk} e^{-t/\tau_{jk}} + B_{jk}, \quad (10)$$

where A_{jk} is the initial number of decay counts, τ_{jk} is the estimate of the decay lifetime, and B_{jk} is the constant background level.

To summarize, the fit procedure for each set involves three steps. First, the rate of detected events without energy condition was fitted for each cycle with Eq. (2) with r_{0i} , τ_i ,

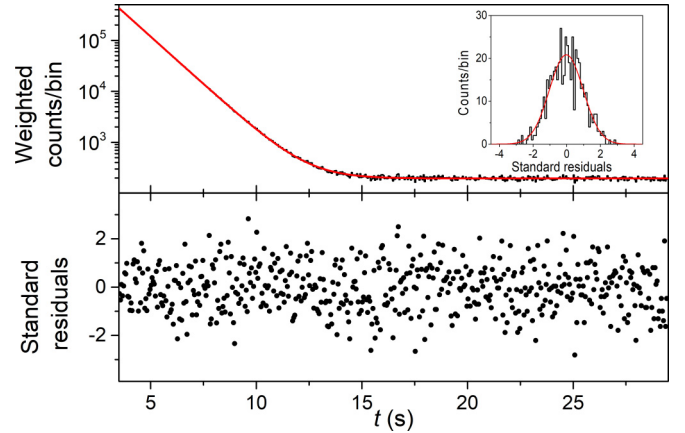


FIG. 10. Top: Experimental decay spectrum from set 2 for a nonextensible dead time of $3 \mu\text{s}$ and an energy threshold of 600 keV (black) along with its fit function (red). Bottom: Standard residuals. The standard residuals distribution and its fit by a Gaussian are shown in the inset of the upper panel.

and r_{bi} as free parameters, to be used in the dead-time and pileup corrections. Next, the dead-time and energy threshold corrections were estimated and the occurrence of each event was weighted using Eq. (9). Finally, weighted events from a measurement set were summed up and the resulting binned distribution was fitted with Eq. (10), with A_{jk} , τ_{jk} , and B_{jk} as free parameters. Following this procedure, all the data from a measurement set result in a single histogram. For all fits, the parameter estimates were obtained using the log-likelihood function. The nominal bin size adopted in the histograms was 50 ms.

Figure 10 shows the fit of data set 2 with a dead time of $3 \mu\text{s}$ and an energy threshold of 600 keV. The fit of the standard residuals distribution is consistent with a normal distribution with $\mu = -0.027(37)$ and $\sigma = 1.01(4)$. In Table I, the sets from which the half-life can be extracted are 1, 2, and 3. The resulting half-life values are shown in Fig. 11 as a function of the imposed dead time and for three energy thresholds. The values show no significant effect due to dead time except for set 2 and $\tau_{DT} = 1 \mu\text{s}$, which is slightly lower than the others. This discrepancy may be due to the contribution of afterpulses in the $1\text{--}2 \mu\text{s}$ range. In the following, a conservative value $\tau_{DT} = 3 \mu\text{s}$ was adopted. The systematic uncertainty on the dead-time correction was obtained from the 2-ns accuracy on the imposed dead time and is smaller than 10^{-5} s for all sets. The results from the fits of the histograms for the three sets are summarized in Table II. The central values include the

TABLE II. Values of the ${}^6\text{He}$ half-life obtained from the fits of histograms for the three data sets along with their associated p -values.

	Set 1	Set 2	Set 3
$T_{1/2}$ (ms)	807.42(25)	807.16(26)	807.10(35)
p -value	0.70	0.83	0.25

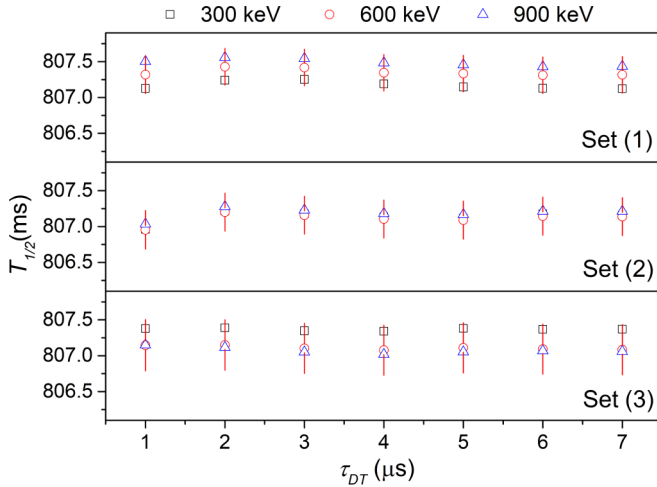


FIG. 11. Mean values of the half-life estimates obtained for set 1 (top), 2 (middle), and 3 (bottom) as a function of the nonextendible dead time. The black squares, red dots, and blue triangles correspond respectively to offline energy thresholds of 300, 600, and 900 keV. The statistical error bars are only shown for the threshold of 600 keV.

systematic corrections due to dead time and pileup but the uncertainties are only statistical.

F. Effect of baseline and gain corrections

For illustration, Fig. 12 shows, for the three sets, the evolution of the mean values of the half-life as a function of the energy threshold, before (black circles) and after (red squares) applying the gain correction described in Sec. III A. Whereas the noncorrected data display a trend which increases with

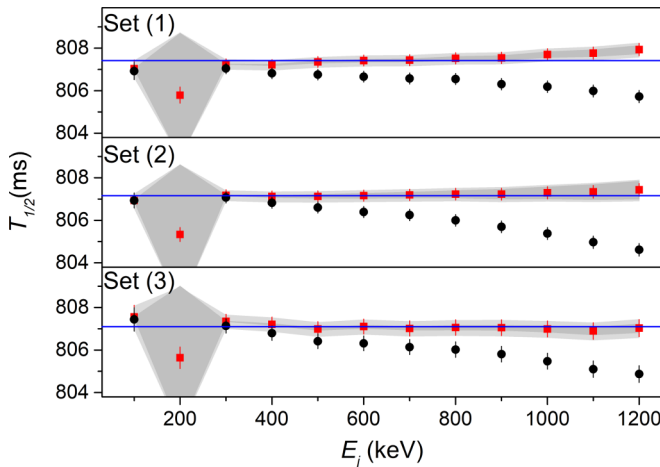


FIG. 12. Mean values of the half-life obtained for set 1 (top), 2 (middle), and 3 (bottom) as a function of the energy threshold. The black circles (red squares) are the values obtained without (with) the gain correction. The error bars are statistical. The horizontal blue line shows the value with correction for a threshold of 600 keV. The gray area indicates the systematic uncertainty associated to the gain correction and the light gray one the combined systematic and statistic uncertainty (see text for details).

the threshold between 300 and 1200 keV, the corrected data lead to mean values which are independent of the threshold. The results obtained without gain correction for an energy threshold of 200 keV are out of the vertical range of the figure, at about 20 ms higher than with gain correction. This is due to the strong negative slope of the energy spectrum at 200 keV, right from the bremsstrahlung peak shown in Fig. 8. The systematic uncertainty associated to the gain correction procedure is shown by the gray areas. It was estimated by accounting for the uncertainties on the parameters P_0 and P_1 of the model and taking values which maximize or minimize the gain correction amplitude. As expected, this uncertainty also increases with the energy threshold between 300 and 1200 keV and is very large for a threshold of 200 keV. The distribution of the corrected values as a function of the threshold is consistent with a constant when accounting for both statistical and systematic uncertainties. To minimize the uncertainty on the gain correction, one should normally favor a threshold in the range 300–400 keV. However, because of the presence of background contributing up to 550 keV whose half-life is unknown (Fig. 9), a threshold of 600 keV was finally chosen. The effect of the baseline correction was studied in a similar way and was found to be one order of magnitude smaller than for the gain correction. The χ^2 and residuals distributions obtained for all sets were also studied with and without gain corrections. In both cases, they showed no deviation from the expected statistical fluctuations, which indicates that analyses of χ^2 or p -values do not provide a proper diagnostic to detect such systematic effects.

G. Diffusion of ${}^6\text{He}$

The possible rapid diffusion of ${}^6\text{He}$ atoms out of the detector bulk was considered. Diffusion coefficients specific to helium implanted in a YAP crystal could not be found in the literature. However, experimental data are available for a number of mineral compounds [17]. Diffusion coefficients at room temperature are all smaller than $10^{-26} \text{ m}^2 \text{ s}^{-1}$. Using Fick's second law, an implantation depth of 100 nm leads to effusion time constants larger than 10^{11} s . Such time constants are far too large to have any significant effect on the ${}^6\text{He}$ half-life measurement.

H. Additional cross-checks

The bin width of the histograms was changed from the nominal 50 ms to 20 and 100 ms to check the sensitivity to the binning. The resulting values of the half-life were found to be the same within $1 \times 10^{-5} \text{ s}$.

The dependence of the half-life on the lower bound of the fitting range, t_{\min} , was also investigated (Fig. 13). The analysis of p -values spanning more than six half-lives indicates that the observed variations are fully consistent with statistical fluctuations within the three sets.

In the analysis procedure presented above, the data were corrected and then fitted with Eq. (10). An additional analysis was also carried out without applying any dead-time and pileup corrections to the data. Instead, for a given condition in dead time and energy threshold, the data in each individual

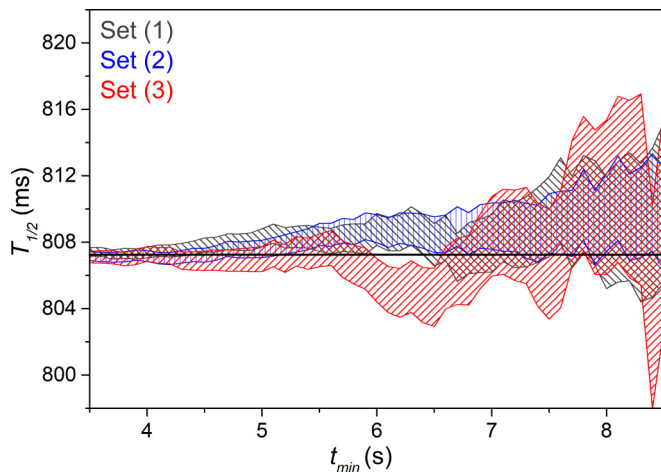


FIG. 13. Half-life estimate obtained for the measurements sets 1, 2, and 3 (in gray, blue, and red, respectively) as a function of the lower bound of the fitting range, t_{\min} . The colored areas indicate the range covered by the statistical uncertainties given at one standard deviation. The horizontal black line is the central value of the final result.

cycle i were fitted with a function accounting for both dead-time and pileup effects:

$$f_{ij}(t) = \frac{(A_{ij}e^{-t/\tau_{ij}} + B_{ij})[1 + \alpha_E(t)_{ij}]}{1 + \tau_{DT}r_T(t)_i}, \quad (11)$$

where $r_T(t)_i$ and $\alpha_E(t)_{ij}$ are the functions in Eqs. (1) and (8) determined for each cycle and selection and where A_{ij} , τ_{ij} , and B_{ij} are the free parameters of the fit. For each measurement set, the lifetime estimates, τ_{ij} , obtained from the fits were averaged to obtain the half-life τ_j for that condition. This averaging required a closer look because the low statistics present in many cycles was found to induce a correlation between the half-life and the absolute statistical uncertainty.

In order to test the averaging procedures, Monte Carlo simulations were performed using typical experimental decay and background rates and a higher number of decay cycles. The simulations showed that when using the relative statistical uncertainty instead of the absolute uncertainty as the weighting factor, the bias due to low statistics in the fitted data was strongly reduced. Nevertheless, the weighted average was found to be overestimated by 9×10^{-5} s for the conditions of sets 1 and 3 and by 1.5×10^{-5} s for the condition of set 2. After accounting for the bias due to fits with low statistics, the final experimental values obtained when fitting independently each cycle were found to be the same within 1×10^{-5} s to those obtained using the method described in Sec. III E.

The complete analysis was performed again while using the result for the half-life obtained in Eq. (12) to fix the value of τ_i in Eqs. (1) and (2). The results were again found to be the same within 1×10^{-5} s.

IV. RESULT

Table II gives the summary of the values obtained from the fits which include the main systematic corrections, whereas

TABLE III. Corrections to the half-life (in milliseconds) associated with the main sources of systematic effects for the three sets of data. The values of the uncertainties are rounded at 0.01 ms. The combined uncertainties of the total correction were obtained by summation in quadrature.

Source	Set 1	Set 2	Set 3
Gain	0.75(7)	0.77(10)	0.78(6)
Baseline	0.09(3)	0.04(2)	0.05(9)
Pileup	0.10(1)	0.25(1)	0.11(1)
Binning	< 0.01	< 0.01	< 0.01
Total correction	0.94(7)	1.06(11)	0.94(11)

Table III gives the size of the systematic corrections to those values along with their associated uncertainties. The values from the three sets are statistically consistent, with differences in the central values smaller than one standard deviation. The systematic corrections add up to about 1 ms. The largest shift is due to the gain variation correction and indicates how crucial it is to control this effect when aiming at a relative precision smaller than 10^{-3} . The combined results of the three measurement sets yield the value

$$T_{1/2} = (807.25 \pm 0.16_{\text{stat}} \pm 0.11_{\text{syst}}) \text{ ms}, \quad (12)$$

where the largest systematic uncertainty has been adopted. Figure 14 shows a comparison between the present result (horizontal lines) and the six previously measured values having a relative precision smaller than 1%. The present result is consistent with three of the previous values [13,18,19] and is at variance with three others [20–22]. Together with the result from Ref. [13], which has a similar precision but used a different technique, the present result confirms the ${}^6\text{He}$ half-life close to 807 ms and strongly disfavors previous results yielding values below 800 ms.

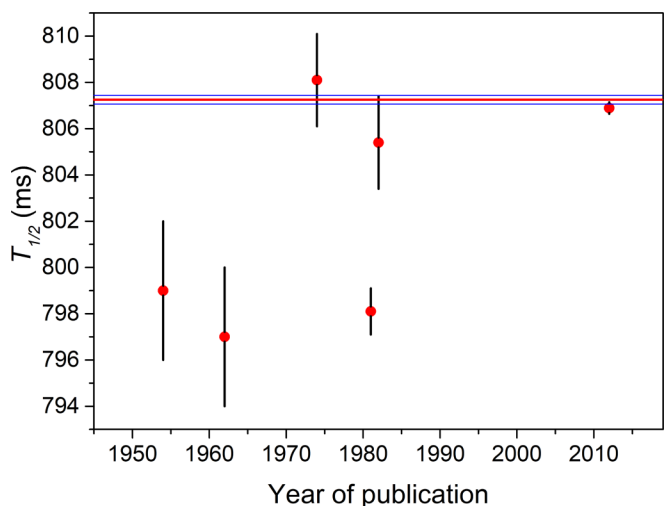


FIG. 14. Comparison between the ${}^6\text{He}$ half-life value obtained from the present work (horizontal lines) and previous measurements having a relative precision smaller than 1%. The plotted values are from Refs. [13,18–22].

V. CONCLUSION

This work reported the most precise value of the ${}^6\text{He}$ half-life obtained so far. The result is consistent with the most recent measurement which supported two previous values around 807 ms. By recording both the deposited energy and the time of each event with a digital data acquisition system combined with the use of a monitoring ${}^{241}\text{Am}$ source, detector gain variations and dead-time effects were precisely measured and corrected for. These effects were found to contribute at a relative level of 10^{-3}

with a resulting relative systematic uncertainty at the level of 10^{-4} .

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