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# Damage characterization of (U,Pu)O<sub>2</sub> under irradiation by Molecular Dynamics simulations

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## Abstract

Molecular dynamics simulations have been carried out to investigate the primary radiation damage in (U<sub>1-y</sub>,Pu<sub>y</sub>)O<sub>2</sub> solid solution for various temperatures and plutonium contents. This radiation assessment consists of four different studies: 1) defect formation energies; 2) Frenkel pair recombination; 3) displacement cascades; and 4) the dose effect modelled by the Frenkel pair accumulation method. Two empirical potentials - coined by Cooper and Potashnikov - are used. Overall, results obtained with both potentials show the same trend. However, kinetics of point defect recombination are significantly slower with Cooper potential implying creation of small disordered region with high energy displacement cascades. The evolution of the primary damage with increasing dose follows the same steps as those found previously in pure UO<sub>2</sub>. First, point defects are created. Subsequently, they cluster and form small Frank loops, which in turn transform and grow into unfaulted loops. We demonstrate also that higher temperatures accelerate the production of dislocations shifting their creation to lower doses. The effect of plutonium content is also evidenced, especially with Cooper potential. It shows that the dislocation density decreases when the plutonium content increases.

**Keywords:** Molecular dynamics, MOX fuel, irradiation, assessment

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## 1. Introduction

Nuclear fuel containing mixed oxide (MOX) pellets has been largely used during almost the entire history of the nuclear industry. MOX fuel pellets are made from a mixture of uranium (U) and plutonium (Pu) oxides. This type of fuel has been chosen as an alternative for the widely used UO<sub>2</sub> based fuel because it provides a solution for some of the problems coming from the “once-through cycle”. It can be seen as a more efficient way of using the natural U since the majority of it is composed by the Pu-producing <sup>238</sup>U. Reprocessing and recycling of fuel can decrease the volume of waste stored and reduce the time frame of storage. Finally, MOX is the most probable fuel for future fast breeder reactors.

Safety analyses are required by regulatory bodies to ensure that MOX fuel can be burned safely in reactors. They require to take into account the thermo-mechanical properties of MOX as a function of irradiation, dose and Pu content. It is known that MOX thermo-mechanical properties vary with respect to irradiation [1–3], yet, detailed description of this phenomena is rather sparse due to the great difficulties of carrying out experiments in such materials (high toxicity and radiation levels). In order to circumvent the problems, atomistic simulations can bring valuable information and increase the scope of knowledge in the understanding of radiation-induced defects.

Atomistic simulations via molecular dynamics (MD) have proved to be a useful tool to simulate ballistic damage in UO<sub>2</sub>

by means of displacement cascades studies [4–7]. Moreover, MD simulations using the Frenkel pair accumulation (FPA) technique [8, 9] allows us to go further in picturing the dose effect and have been tested for different oxides [10] and UO<sub>2</sub> [11]. Therefore, we will present in this paper MD ballistic radiation damage characterization of (U,Pu)O<sub>2</sub> solid solution, for several Pu contents, temperatures, and radiation doses.

However, in order to implement the FPA method in MOX a comprehensive basic assessment is required. This radiation assessment consists of four different studies: 1) defect formation energies; 2) Frenkel pair recombination; 3) displacement cascades; and 4) Frenkel pair accumulation. It is worth highlighting that transport properties such as activation energies of diffusion are also important to assess in order to complete the behaviour under irradiation. This property is not included in our assessment since it has been covered by several authors in previous works [12, 18]. With the MD method, actinide atoms are often simulated in the approximation of rigid ions and pair interactions. For the MOX fuel, several interatomic potentials can be found in literature, with various domains of validity. It is worth highlighting that this method is highly dependent on the choice of the interatomic potentials. For this reason, the sets of interatomic potentials used herein were chosen based on an assessment of thermomechanical properties previously completed [13]. Two sets of empirical potentials were used in order to compare results and to have a broader insight.

This article is decomposed as follow. The first section on method gives a brief description of the empirical potentials and the systems used herein. Section 3.1 provides some point defect

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formation energies in order to assess the empirical potentials. Section 3.2 examines the results on the lifetimes of Frenkel pairs, which are of importance for the two next following sections. Section 3.3 presents the primary damage state obtained via displacement cascades. Finally, section 3.4 discusses the effect of irradiation dose on the evolution of the microstructure using the Frenkel pair accumulation method.

## 2. Computational method

The LAMMPS code [14] is used to obtain each one of the properties presented in this paper. Three temperatures 30, 300, and 1600 K are explored and Pu contents varies from pure  $\text{UO}_2$  (urania) to pure  $\text{PuO}_2$  (plutonia) with intermediates. System sizes depend on each study and range from thousands ( $7 \times 7 \times 7$  fluorite structure unit cells) to several million ( $70 \times 70 \times 70$  fluorite structure unit cells) atoms. In all the cases we use periodic boundary conditions in order to avoid surface effects. Before each simulation, an initial relaxation process is completed under the NPT thermodynamic ensemble using the Parrinello-Rahman's algorithm [15] for 20 ps in order to reach the desired temperature and pressure (0 GPa).

According to the conclusions of our previous assessment on interatomic potentials describing MOX [13], two potentials have been selected and are coined hereafter by Potashnikov [16] and Cooper [17, 18]. The first, was fitted to the evolution of lattice constant in the entire range of temperatures (up to the melting point), while the second focuses on reproducing accurately the mechanical behaviour and has been fitted on experimental data for single crystal elastic constants. Both provide good results for structural (lattice parameter, thermal expansion) and thermodynamics properties (heat capacity) over a large range of temperature from 300 K to melting point and for the full range of Pu content from pure urania to pure plutonia. Elastic stiffness constants are best reproduced with Cooper potential, which provides the closest results to the Fink's recommendation [19]. Furthermore, Cooper potential renders a plastic-like behaviour during crack propagation while Potashnikov potential presents a brittle-like behaviour. Complete specifications of each potential can be found in our prior assessment [13].

In order to have enough statistics, different initial configurations are studied. The  $(\text{U}_{1-y}\text{Pu}_y)\text{O}_2$  compound is taken as a continuous solid solution. In a first approximation, the Pu atoms are distributed randomly inside the supercell on the 8a Wyckoff sites corresponding to the fluorite cations sites. In order to facilitate the assessment, the same random configurations are used for both potentials.

Individual conditions (temperature, pressure, Pu content, thermodynamic ensemble, etc.) and a description of each specific study will be specified in the next chapter.

## 3. Results and discussion

### 3.1. Defect formation energies

Ballistic effects of irradiation result primarily in the production of intrinsic point defects, which may further anneal or cluster. It is then important to assess their formation energies. In our

MD simulations the number of atoms remains constant. Therefore, during a collision sequence when an atom is dislodged from its crystallographic position it creates both a vacancy and an interstitial, which is called a Frenkel pair (FP). Thus, we consider this defect as the basic unit defect in our study. In MOX, since its structure can be represented as the interconnection between a primitive-cubic anion sublattice embedded in a face-centered cubic cation lattice, two types of FPs can be found: cation and anion. They will be coined hereafter respectively C-FP and O-FP. The second type of defect studied in this section is the neutral Schottky defect (SD). It implies two oxygen vacancies and one cation vacancy. Indeed, this defect has been found by positron annihilation spectroscopy to be the predominant defect detected in the  $\alpha$  irradiated  $\text{UO}_2$  [20].

Authors of the interatomic potentials used herein have already calculated part of these defect formation energies but using different approaches and mainly for urania and plutonia. Hence, in order to assess both potentials consistently for different Pu contents, we calculate for both potentials formation energies of C-FP, O-FP, and SD defects for 0, 25, 50, and 100 Pu contents.

The formation energy of each defect is calculated by minimization of the energy at 0 K. This method uses an optimization of the ion coordinates of the defect supercell using a conjugate gradient algorithm, more specifically the version of Polak-Ribiere available within the LAMMPS code. The defect formation energy is simply calculated by computing the difference between the energy per atom of the defectless system and the energy per atom of the system containing the defect as follow:

$$E_f = E_{\text{defect}}^{N-1} - \frac{N-1}{N} E_{\text{bulk}}^N \quad (1)$$

The FP is created by separating the vacancy and the interstitial in the supercell. The SD is created by simply removing one cation and two oxygen atoms. Thus, the resulting supercell will be a neutrally charged crystal with periodically copied defects. For each family of defect two types are initiated according to the separation distance between the vacancy and the interstitial and the three vacancies for the FP and the SD respectively. The first type corresponds to the bounded defect where the point defect (vacancy or interstitial) are connected, namely first nearest neighbour. Three different bounded Schottky defects are possible with the crystallographic orientation of the cubic structure. They are noted  $\text{SD}\langle 100 \rangle$ ,  $\text{SD}\langle 110 \rangle$  and  $\text{SD}\langle 111 \rangle$ . Concerning the bounded FP, it is found that the first nearest neighbour recombines instantly during the relaxation. For this reason, bounded FP energies are calculated for the second nearest neighbour sites. Conversely, the second type corresponds to the distance between point defects at the infinite. To calculate these values the size of the supercell is gradually increased from  $n = 4$  to  $n = 18$  units cells. For each supercell size we separate the point defects with the maximal distance within the simulation box. Subsequently, the defect formation energy is calculated and reported as a function of their separation distance. As previously shown by Potashnikov et al. [21], the defect formation energies decreases as the inverse of the separation distance. Therefore, one can extrapolate the values of the

defect formation energy at an infinite separation. These values are noted as  $FP_{\infty}$  and  $SD_{\infty}$ .

In the case of MOX, numerous configurations for the cation arrangements are possible. Instead of studying each configuration systematically, we rather assess seven configurations with Pu atoms randomly distributed. The defect formation energy is then averaged over the seven configurations including the type of cation used for the defect creation (*i.e.*, either U or Pu). This provides an indication of the effect of the local surrounding on the defect formation energies. All the defect formation energies with their standard deviation when applicable are reported in Table 1.

Overall, the defect formation energies are consistent for both potentials and our results show similar trends than previous calculations with the same potentials [17, 21]. The C-FP formation energies are higher than the SD formation energies which is slightly higher than the O-FP formation energies. This order is in agreement with *ab initio* calculations in  $UO_2$  [22–25]. For the SD defect, the  $SD(1\ 1\ 1)$  configuration which possesses the longest distance between the oxygen vacancies shows the lowest energy. This is in agreement with previous MD simulations in  $UO_2$  [17] but in contradiction with *ab initio* calculations with smaller supercells for which the  $SD(1\ 1\ 0)$  is the most favourable [26].

Due to the large fluctuation in the formation energies for MOX, the Pu content influence must be taken with care. However, results obtained for pure urania and plutonia show for both potentials that C-FP formation energies increase from urania to plutonia whereas O-FP and SD formation energies decrease.

### 3.2. Frenkel pairs recombination

During displacement cascades numerous FPs with small distances between the interstitial and the vacancy are created. In  $UO_2$  most of them do not survive and recombine within a few picoseconds [4, 6]. Assessing the lifetime of such defects is important to interpret the results of displacement cascades and set the parameters for the point defect accumulation method. In this section, we investigate the lifetimes of close C-FPs for both potentials at three temperatures  $T = 30, 300$  and  $1600$  K, and for five Pu contents: 0, 25, 50, 75, 100%. Previous studies have suggested that the anions sublattice recover accordingly to the cation sublattice [9]. Also, we have just verified that for the first and the second neighbour the O-FP recombine spontaneously.

To calculate the recovery time of the defect, the supercell is first relaxed for 5 ps in the NPT ensemble in order to find the temperature dependent lattice parameter. Subsequently, a C-FP is created and the system is relaxed under NPT ensemble during 100 ps. If annealing of the C-FP occurs, the time of recombination is recorded. The time of 100 ps for the relaxation is chosen according to the previous studies of FPs recovery in  $UO_2$ , for which most of the lifetimes are found under this time limit [27, 28].

The FPs are classified according to the distance between the interstitial and the vacancy as first-, second-, third- and fourth-nearest neighbours as shown in Figure 1. Due to the fluorite symmetry, there are: 6 first, 8 second, 24 third, and 48 fourth

possible nearest neighbours for the C-FPs. For simplicity, we limit the number of third- and fourth-nearest neighbours studied to 8 (all shown in Figure 1). For each MOX case, seven different configurations with Pu randomly distributed are investigated. The time of recovery is then averaged over 56 ( $7 \times 8$ ) for MOX cases and 8 for pure urania and plutonia. If for a specific microstructure there is no recombination, the case is simply excluded from the average. Therefore, the resulting lifetime corresponds to the lowest limit of the recombination time. Nevertheless, it gives an indication of whether recombination may occur or not. Table 2 compiles all the results of the averaged lifetimes with their standard deviation. The symbol,  $\ll$ , corresponds to spontaneous recombination *i.e.*, inferior to 1 ps whereas the symbol,  $>$ , signifies that no recombination takes place within the 100 ps of the simulation for all the cases studied (*i.e.*, 56 for MOX and 8 for pure compounds).

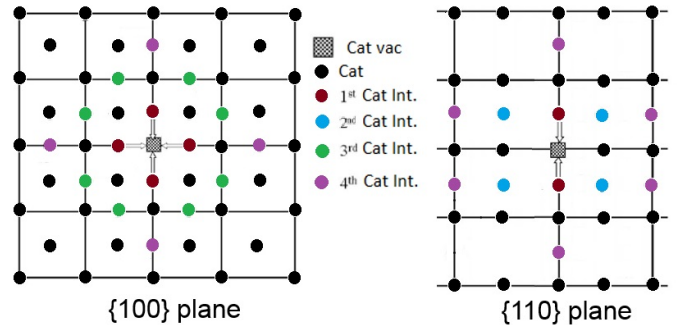


Figure 1: Schematic diagram of the  $\{1\ 0\ 0\}$  and  $\{1\ 1\ 0\}$  planes showing the possible crystallographic position for the cation interstitials in a fluorite-like lattice. The positions are classified as 1<sup>st</sup>, 2<sup>nd</sup>, 3<sup>rd</sup>, and 4<sup>th</sup> nearest neighbour according to their distance to the vacancy.

From these results of the recombination lifetimes, we can conclude that: 1.- First-nearest neighbours always recombine instantaneously (recombination occurs in less than 1 ps) for all cases. 2.- In contrast, second-nearest neighbours do not recombine for all cases. This is due to the energy barrier imposed by the oxygen laying between the interstitial and the vacancy, as already seen in previous studies in fluorite-like structure using rigid ion interatomic potentials [29]. 3.- For the third- and fourth-nearest neighbours the recombination process is rather complex and involves two or three successive replacements as previously shown in  $UO_2$  [27, 28]. Furthermore, there is a clear dependence on the temperature. At higher temperatures, the process of recombination is more probable, indicating a thermal activated process. 4.- The recombination process is more probable and occurs at lower temperatures for Potashnikov potential than for Cooper potential. 5.- Concerning the Pu content, for Cooper potential it seems that the recombination processes are facilitated with the increase of the Pu content. For Potashnikov potential this tendency is less pronounced especially for the third-nearest neighbours.

Overall, recombination of C-FPs falls into two regimes: first, a spontaneous regime where recombination events occur in less than 1 ps and second, a thermally activated regime. This is im-

Table 1: Formation energies of Frenkel pairs and Schottky defects.

Defect energy (eV)	Cooper				Potashnikov			
	UO <sub>2</sub>	U <sub>0.75</sub> Pu <sub>0.25</sub> O <sub>2</sub>	U <sub>0.5</sub> Pu <sub>0.5</sub> O <sub>2</sub>	PuO <sub>2</sub>	UO <sub>2</sub>	U <sub>0.75</sub> Pu <sub>0.25</sub> O <sub>2</sub>	U <sub>0.5</sub> Pu <sub>0.5</sub> O <sub>2</sub>	PuO <sub>2</sub>
C-FP $\infty$	15.4	15.6±0.7	15.5±0.8	15.9	15.5	15.7±0.3	15.8±0.3	16.4
C-FP	11.0	11.5±0.8	11.0±0.5	11.8	12.0	12.4±0.3	12.5±0.3	13.2
O-FP $\infty$	5.9	5.8±0.1	5.6±0.1	5.5	4.1	4.0±0	4.0±0	3.9
O-FP	4.9	4.8±0.2	4.8±0.1	4.5	3.3	3.3±0.1	3.3±0.1	3.3
SD $\infty$	10.9	11.0±0.7	10.5±0.9	10.0	9.7	9.7±0.3	9.6±0.3	9.5
SD(1 0 0)	6.2	6.5±0.6	5.8±0.6	5.9	5.6	5.8±0.3	5.6±0.3	5.8
SD(1 1 0)	5.3	5.5±0.6	5.0±0.6	5.0	5.0	5.2±0.3	5.0±0.3	5.1
SD(1 1 1)	5.0	5.4±0.7	4.7±0.6	4.8	4.8	5.0±0.3	4.9±0.3	5.0

Table 2: Recombination times in ps for C-FPs for both Cooper and Potashnikov potentials at different Pu contents and temperatures. The symbol,  $\ll$ , corresponds to a spontaneous recombination (less than 1 ps) and the symbol,  $>$ , signifies that no recombination takes place within the 100 ps of the simulation. The number in parenthesis corresponds to the number of recombination that occurs over the 56 MOX cases and the 8 pure compound cases studied.

Pu Content	Temperature (K)	Cooper				Potashnikov			
		1 <sup>st</sup>	2 <sup>nd</sup>	3 <sup>rd</sup>	4 <sup>th</sup>	1 <sup>st</sup>	2 <sup>nd</sup>	3 <sup>rd</sup>	4 <sup>th</sup>
0% Pu	30	$\ll$	$>$	$>$	$>$	$\ll$	$>$	$>$	$>$
	300	$\ll$	$>$	$>$	$>$	$\ll$	$>$	$>$	$>$
	1600	$\ll$	$>$	29.7±36.6 (8)	45.6±37.8 (2)	$\ll$	$>$	2.5±3.6 (6)	10.0±7.0 (2)
25% Pu	30	$\ll$	$>$	$>$	$>$	$\ll$	$>$	$>$	$>$
	300	$\ll$	$>$	$>$	$>$	$\ll$	$>$	5.5±8.2 (29)	51.7±68.5 (26)
	1600	$\ll$	$>$	28.1±12.1 (50)	29.6±22.6 (18)	$\ll$	$>$	6.5±5.7 (54)	18.5±17.4 (20)
50% Pu	30	$\ll$	$>$	$>$	$>$	$\ll$	$>$	$>$	$>$
	300	$\ll$	$>$	$>$	$>$	$\ll$	$>$	11.7±15.6 (26)	19.8±6.0 (9)
	1600	$\ll$	$>$	21.7±6.2 (55)	28.6±16.1 (28)	$\ll$	$>$	20.2±9.1 (50)	21.5±18.1 (17)
75% Pu	30	$\ll$	$>$	$>$	$>$	$\ll$	$>$	$>$	$>$
	300	$\ll$	$>$	$>$	$>$	$\ll$	$>$	7.3±6.0 (34)	15.6±21.6 (10)
	1600	$\ll$	$>$	10.3±3.8 (56)	28.5±13.8 (34)	$\ll$	$>$	8.0±5.4 (54)	29.8±22.0 (27)
100% Pu	30	$\ll$	$>$	$>$	$>$	$\ll$	$>$	$>$	$>$
	300	$\ll$	$>$	$>$	$>$	$\ll$	$>$	5.6±4.1 (6)	15.0±0.0 (2)
	1600	$\ll$	$>$	5.0±6.2 (8)	26.3±37.5 (2)	$\ll$	$>$	5.6±7.0 (6)	0.7±0.1 (2)

portant for the parameter of our next study using accumulation of FPs. The relaxation time between integration of FPs will be set to 2 ps, which gives enough time for spontaneous recombination.

### 3.3. Primary damage state

The primary damage state is studied via simulations of displacement cascades. The first step of the displacement cascade method consists of relaxing the supercell under constant temperature and zero pressure during 25 ps. The collision sequence starts by choosing a cation (Pu or U), which is coined hereafter PKA for Primary Knock-on Atom to mimic a recoil nucleus. Subsequently, kinetic energy is given to the PKA. The system is then relaxed under the microcanonical ensemble for around 50 ps. Three PKA energies are studied: 5, 10 and 75 keV. The size of the supercell is chosen so that it contains all the cascade body to avoid cascade self-interaction due to the use of the periodic boundary conditions. For instance, it is  $38 \times 38 \times 38$  nm for 75 keV PKA the maximum size reached. Moreover with this box size, at the end of the cascade just a small increase of temperature occurs, less than 150 K. Therefore, no significant change is expected for the recombination or diffusion process of point defects. Hence, no rescaling temperature layer is implemented to release this excess of thermal energy. Due to computational time, only three Pu contents are assessed: 0, 50 and 100%. For 5 and 10 keV PKA energies,

15 different cascades are studied for each Pu content. Initial PKA orientation and localisation vary between each cascade in order to increase statistics. Pu atoms are randomly distributed in the supercell. Due to the intensive computational time, only 5 cascades with PKA energy of 75 keV for each Pu content are studied.

The end of the cascade is reached when the temperature of the simulation box is constant. At that point, we analyse the number of permanently displaced atoms *i.e.*, atoms that has been moved by more than 0.1 nm from their initial crystallographic position and the number of defects namely the number of FPs. This is achieved by the Wigner-Seitz cell analysis provided by the OVITO software [30]. With the same software, further analysis is completed via dislocation analysis (DXA) [31] with the cation sublattice to identify disordered regions *i.e.*, regions where cation structure is not fcc structure.

A general cascade behaviour is observed. Within the first picosecond, the PKA suffers several collisions releasing its kinetic energy in the form of a large amount of atomic displacements in all directions. These atomic displacements induce a temporary local disorder of the crystal in the core of the cascade. Numerous FPs are created during this stage. Subsequently, the system evolves releasing energy in the form of thermal vibrations, causing a drastic increase of the local temperature. This last stage is usually named the thermal spike. Consequently, numerous recombination events take place, which

mainly leads to the reconstruction of the fluorite lattice leaving only a few remaining point defects. However, for the cascades initiated at 75 keV with Cooper potential, this recovery stage does not lead to full reconstruction of the fluorite structure. Instead, a large disordered region with no crystallographic atomic structure of several nanometers ( $> 5 \text{ nm}$ ) is found at the cascade core. An illustration of this disordered region is shown in figure 2. In contrast, only a few point defects remain for cascades initiated with the same energy with Potashnikov potential.

This behaviour can originate from two reasons. First, the kinetics of recovery for the high disordered structure is too long compared to the time frame of the MD simulation. Second, the disordered structure is more energetically favourable. The latter seems unlikely because the fluorite structure has been found by Cooper et al. [17] to have the lowest cohesive energy compared to some other crystallographic structures and because up to 10 keV PKA reconstruction of the fluorite structure is observed.

Figure 3 shows the number of displaced cations and anions as a function of PKA energy. The error bars correspond to the standard deviation from the average over the 7 different microstructures. This number is compared to the theoretical number of displaced atoms estimated by the Kinshin-Pease linear law [32]:

$$N_{disp}^{KP} = \frac{E_{PKA}}{2E_d} \quad (2)$$

herein,  $E_{PKA}$ , is the initial kinetic energy of the projectile and  $E_d$  is the threshold displacement energy in the material. The value of  $E_d$  is taken as classically equal to 40 eV and 20 eV for the cations and the anions respectively [33].

Both potentials show similar results. The number of displaced atoms is higher than the theoretical estimation, except for cations at 5 keV PKA, indicating that the  $E_d$  for the empirical potentials are probably lower than the ones used in equation 2. Furthermore, the ratio between the number of displaced anions and the number of displaced cations is approximately equal to 4.3 and 5.5 for Cooper and Posthnikov potentials respectively. Consequently, the anion sublattice is more affected than the cation sublattice by the cascade event. We also find no influence of the Pu content on those results.

The numbers of remaining FPs at the end of the cascades are reported in figure 4. They compare with the theoretical linear law proposed by Norgett, Robinson, and Torrens (NRT) [34] who rescale the Kinshin-Pease equation by a factor 0.8 as follows:

$$N_{FP}^{NRT} = \frac{0.4E_{PKA}}{E_d} \quad (3)$$

For both potentials no significant influence of the Pu content is observed. The number of FPs found at the end of the cascades is significantly lower than the one estimated with the NRT law. This difference resides from the fact that realistically the NRT law does not include the defect recombination during thermal spikes as demonstrated with very high energy cascades in  $\text{UO}_2$  by Crocombette et al. [7]. However, the number of FPs is significantly higher with Cooper potential especially at high energy PKA. This is directly linked to the disordered

structure mentioned above in which most of the atoms are detected as defects. The ratio between the number of O-FPs and C-FPs is close to 3.1 and 2.2 for Cooper and Potashnikov potentials respectively. These ratios are close to the stoichiometry and lower than those found for the number of displaced atoms. This suggests that the oxygen defects recombine with a higher rate than the cation defects and follow the cation disorder. It also shows that recombination of defects is more effective with Potashnikov potential in agreement with results presented in section 3.2. All these results confirm that the long-time kinetics of defect recovery with the Cooper potential play a crucial role and this explains the unexpected formation of the disordered region found at high energy PKA.

Spatial repartition of point defects at the end of the cascade is determined with a cluster analysis. We define a cluster as connected defects of the same type (vacancy or interstitial). The number of members of each cluster defines its size. Figure 5 shows the ratio in percentage between the number of defects in cluster of a fixed size and the total number of defects as a function of cluster size. Only the results from 10 keV PKA are presented because of the presence of disordered regions at high energy with the Cooper potential. Furthermore, for both potentials no significant difference is found with the different Pu contents. Therefore, the results of the three Pu content are brought together to increase the statistics. Is it also important to highlight that these figures do not show the contribution of single point defect which contribute to the majority of defect. Hence, the total shown in the figures does not reach 100%. The error bars correspond to the standard deviation of the different values averaged over the 7 different microstructures.

Overall, both potentials show the same behaviour even if it is more predominant for Potashnikov potential. Only small interstitial clusters containing up to 4-5 interstitials are found. Conversely, large vacancy clusters up to 22 vacancies corresponding to nanocavities of 1 nm size are found. One possible explanation for this behaviour comes from visual inspection of the spatial repartition of defects. It shows that vacancy clusters are consistently found in the core of the cascade whereas interstitial clusters are located preferentially at the periphery. Consequently, all remaining vacancies are close to one another and are more likely to form clusters.

#### 3.4. Dose effect

Displacement cascades provide characterization of the primary damage state, which mainly consist of the creation of few point defects as shown in previous section 3.3. Therefore, in order to study the dose effect (accumulation of damage) on the MOX microstructure, we use the defect accumulation method. With this method we introduce periodically and consistently FP defects, while the structure is continuously allowed to relax under constant pressure and temperature. The FPs are randomly introduced with minimum distance between the vacancy and the interstitial greater than  $1.4 \text{ \AA}$ . In section 3.2, we showed that the oxygen sublattice seems to follow the cation disorder, consequently only C-FPs (*i.e.*, U or Pu) are introduced in order to reduce the computational time.

The time between two subsequent C-FP introductions is set to 2 ps. This time corresponds with the first regime of recom-

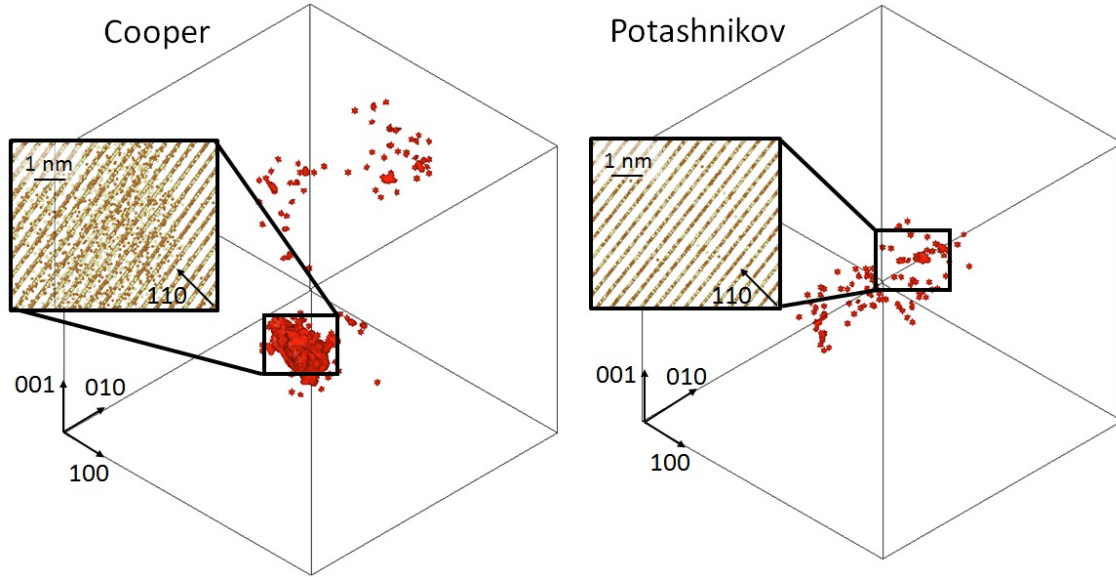


Figure 2: Snapshots of the defect analysis at the end of the cascade initiated with 75 keV PKA for Cooper (left) and Potashnikov (right) potentials for 50% Pu content. The red zone marked the regions where structure departs from perfect fluorite structure. The insets represent close-up visualisation of the atoms in a 0.5 nm thick layer in the main disordered region.

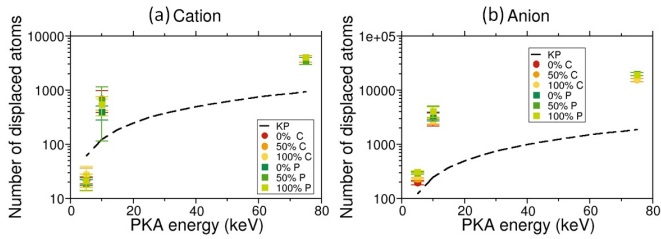


Figure 3: Evolution of the number of (a) cation and (b) anion displaced atoms at the end of displacements cascades as a function of PKA energy for both potentials (C for Cooper and P for Potashnikov) and the three Pu contents. The black dotted line corresponds to the theoretical number of displaced atoms estimated with the Kinshin-Pease law.

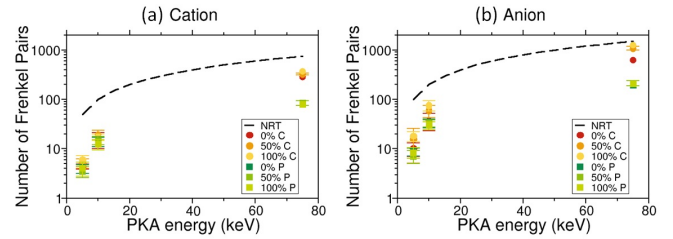


Figure 4: Evolution of the number of (a) cation and (b) anion FPs present at the end of displacements cascades as a function of PKA energy for both potentials (C for Cooper and P for Potashnikov) and the three Pu contents. The black dotted line corresponds to the theoretical number of FPs estimated with the NRT law.

bination discussed in section 3.2. Thus, we allow the system to have spontaneous recombination events. At each C-FP introduction sequence *i.e.*, every 2 ps, 700 FPs are created for Potashnikov potential and 300 for Cooper potential. These numbers have been chosen to minimize the computational time and to ensure that within the time-lapse between two FP introductions the system is relaxed. Namely, the temperature and the pressure are back to the desired values. Because the defect recombination time is higher for Cooper potential (see section 3.2), less FPs can be introduced within the same time interval. An alternative could have been to increase this time interval, but the computational time to reach equivalent dose would have been out-of-range. To verify that this difference in dose rate does not affect the result, we carried out one simulation with Potashnikov potential introducing 300 FPs every 2 ps. Results show no difference between the two dose rates.

Due to the high increase in energy arising from each FP in-

troductioin, the NPT relaxation is done with the Berendsen algorithm provided by the LAMMPS code [35]. Two different temperatures are investigated 300 and 1600 K as well as three Pu contents 0%, 50%, and 100% for both potentials. In all the cases studied herein, the size of the system includes  $40 \times 40 \times 40$  fluorite unit cells, involving 256 000 cations.

A common way to measure irradiation dose on materials is the use of displacement per atom (dpa). This is also a very simple metric from the atomistic simulations point of view. It is defined simply by the number of displacements (on average) of one atom, which exactly corresponds to what is simulated with the FPA method. Since only C-FPs are created, we express the dose in displacement per cation (dpc) rather than the classic dpa. Therefore, for each C-FP introduction, the dose is increased by  $1.17 \times 10^{-3}$  and  $2.73 \times 10^{-3}$  dpc for Cooper and Potashnikov potentials respectively.

The analysis of the structure evolution is carried out on-the-

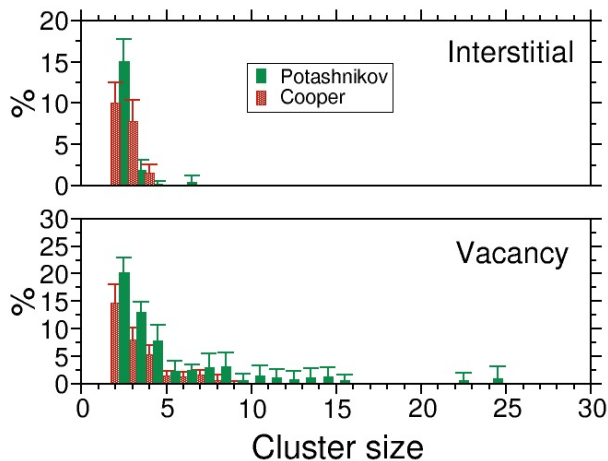


Figure 5: Distribution of point defects in cluster (interstitial and vacancy) as a function of their size for Cooper and Potashnikov potentials calculated from 10 keV PKA cascades.

fly using OVITO software. We determined the dislocation density with the DXA algorithm and examined the point defects with Voronoi cell analysis. This last method has been chosen rather than the Wigner-Seitz cell analysis because numerous disoriented fluorite subdomains appear during the simulation. Consequently, the reference grid used for the Wigner-Seitz cell analysis does not apply anymore.

Figures 6 and 7 display snapshots of the damage as a function of dose expressed in dpc obtained with Cooper and Potashnikov potentials respectively for MOX with 50% Pu at 1600 K. Only, dislocations and main cluster of defects are reported in these figures for clarity. Overall, both potentials show the same general trend for the evolution of the microstructure with the dose. However, differences appear in the quantification of the damage and the dose at which it occurs. The evolution of the system follows 3 main stages. First, point defect concentration increases without formation of a dislocation (see snapshot 0.2 dpc with cooper potential). Subsequently, at about 0.5 dpc for Cooper and 0.1 dpc for Potashnikov Frank loops with Burger's vector  $\frac{1}{3}\langle 111 \rangle$  nucleate from interstitial clustering. This point is illustrated by the fact that the concentration of interstitials decreases at the dose at which loops nucleate while concentration of vacancies still increases (see fig 8 and 9). As the dose increases, these loops transform into perfect loops with Burger's vector  $\frac{1}{2}\langle 110 \rangle$ . However, for Cooper potential the number of Frank loops is considerably smaller, which suggests that most of the perfect loops are created directly. Finally, these perfect loops grow and organise themselves into dislocation lines (last snapshots). This same behaviour was found in UO<sub>2</sub> with MD simulations [11] and observed experimentally [36, 37].

It is worth noting that for Cooper potential, contrary to what is observed at high energy cascades, no large high disordered region (> 5 nm) is found. Only, small (1-2 nm) regions composed of defect clusters along with prismatic dislocations are found. This leads us to believe that, like for the other potential, radiation-induced microstructure likely involves point defects

and dislocations instead of highly disordered area. In that case, it could indicate that with Cooper potential the kinetics of recovery for the high disordered structure is too long compared to the time-frame of the MD simulation.

Temperature plays an important role in the evolution of the extended defects. With Cooper potential no dislocation formation is observed at 300 K whereas some appear for 1600 K. For Potashnikov potential some quantitative differences occur. Figure 8 shows the evolution of the dislocation densities as a function of dose obtained at 300 and 1600 K using the same initial configuration (50% Pu content) with Potashnikov potential. For both temperatures, one can observe easily the same sequence of the different types of dislocation appearing as the dose increases. First, Frank loops nucleate, peak and decrease abruptly corresponding to the increase of perfect loop density. This transformation is corroborated by the appearance of Shockley partials (Burger's  $\frac{1}{6}\langle 112 \rangle$ ) at the dose where Frank loops decrease and perfect loops increase. At the higher dose the density of perfect loops stabilize and a steady state appears. This behaviour is shifted to lower doses as the temperature increases. Peaks of Frank loop and perfect loop density appear successively at 0.4 and 0.8 dpc for 1600 K whereas they appear at 0.6 and 1.2 dpc for 300 K. Moreover, at 1600 K Frank loops are still present at high doses with density oscillating around  $5 \times 10^{14} \text{m}^{-2}$  while they are almost non-existent at 300 K. This suggest that at high temperature Frank loops are still created inside the nano-domains delimited by the unfaulted dislocations. This behaviour changes with temperature has been observed experimentally in UO<sub>2</sub> [36]. In this irradiation study performed at -180 and 600°C, the dose at which the loops transform into lines decreases with increasing temperature and loop growth does not occur for the low temperature. The authors suggest that this offset in the defect changes is attributed to higher defect mobility under irradiation as the temperature rises.

We discuss in the following the influence of the Pu content on the primary radiation damage. Figure 9 shows the evolution of the density of dislocations as a function of dose obtained with Cooper and Potashnikov potentials at 1600 K. A clear trend is found with Cooper potential. The dislocation density decreases as the Pu content increases and peaks of density shift to higher dose with increasing Pu content. Therefore, the creation of dislocations is easier in urania than in MOX or plutonia. It is worth noting that for this potential few Frank loops nucleate implying direct creation of perfect loops. With Potashnikov potential, the Pu influence on the dislocation density is less significant, even if above 2 dpc the density of  $\frac{1}{2}\langle 110 \rangle$  dislocations seems slightly higher for the MOX than for plutonia.

Dependency on Pu content can also be found with the evolution of the number of point defects (vacancy and interstitial). Figure 10 displays this evolution carried out at 1600 K for both potentials as a function of dose. For both potentials, a similar trend is observed. The number of vacancies and interstitials slightly increases as Pu content increases. Since interstitial defects feed dislocations, this behaviour corroborates previous conclusion stating that less dislocations are formed as Pu con-



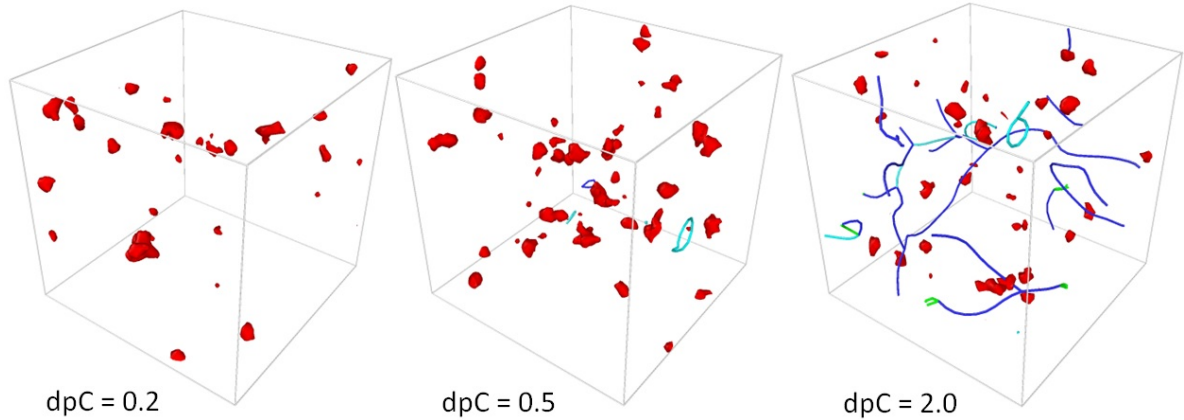


Figure 6: Snapshots of the evolution of extended defects as a function of dose (expressed in dpc) for Cooper potential at 1600 K for 50% Pu. The red zone marked the regions where structure departs from perfect fluorite structure. The cyan lines are  $\frac{1}{3}\langle 1\ 1\ 1 \rangle$  Frank loops, the green lines are  $\frac{1}{6}\langle 1\ 1\ 2 \rangle$  Shockley partial dislocations, and the dark blue lines are  $\frac{1}{2}\langle 1\ 1\ 0 \rangle$  perfect dislocations.

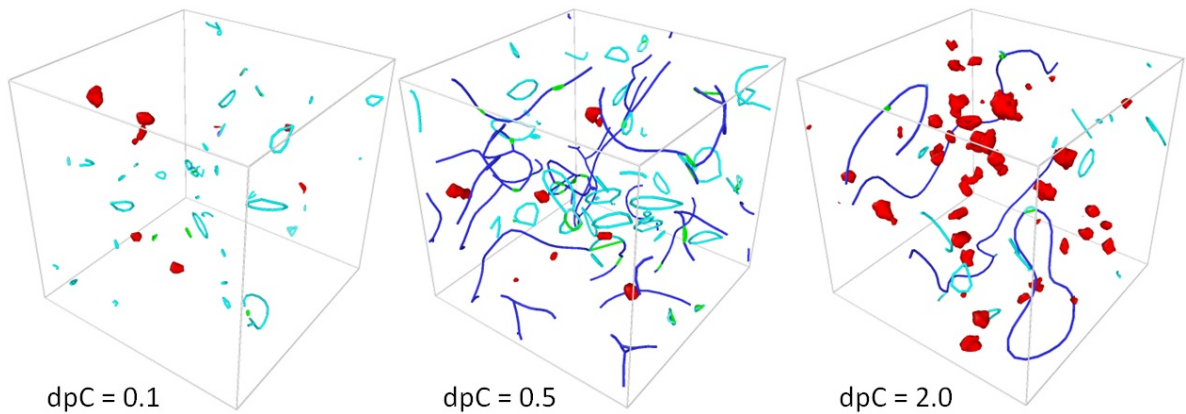


Figure 7: Snapshots of the evolution of extended defects as a function of dose (expressed in dpc) for Potashnikov potential at 1600 K for 50% Pu. The red zone marked the regions where structure departs from perfect fluorite structure. The cyan lines are  $\frac{1}{3}\langle 1\ 1\ 1 \rangle$  Frank loops, the green lines are  $\frac{1}{6}\langle 1\ 1\ 2 \rangle$  Shockley partial dislocations, and the dark blue lines are  $\frac{1}{2}\langle 1\ 1\ 0 \rangle$  perfect dislocations.

tent increases.

#### 4. Conclusions

In this paper, we assessed the primary radiation damage in  $(U_{1-y}, Pu_y)O_2$  solid solution with molecular dynamics simulations. Two interatomic potentials were studied, as coined by Cooper and Potashnikov. These potentials were chosen according to the conclusions of our previous thermo-mechanical assessment. The radiation assessment consisted of four different studies: 1) defect formation energies; 2) Frenkel pair recombination; 3) Primary state damage via displacement cascades; and 4) study of radiation dose effect with Frenkel pair accumulation method. In each study several Pu contents and temperatures were investigated.

For the defect formation energies, both potentials give approximately the same values and corroborate with existing data for urania. Comparing pure urania and plutonia, C-FP formation energies increase from urania to plutonia whereas O-FP

and SD formation energies decrease slightly. However, due to the statistical fluctuation in MOX, a trend concerning the Pu content is difficult to extract.

Concerning the FP recombination. Results show that; 1) For the third- and fourth-nearest neighbours there is a clear dependence on the temperature. At higher temperatures, the process of recombination is more probable, indicating a thermal activated process. 2) First-nearest neighbours always recombine instantaneously (recombination occurs in less than 1 ps) for all cases. In contrast, second-nearest neighbours do not recombine for all cases. This is probably due to the energy barrier imposed by the oxygen laying between the cation interstitial and the vacancy. 3) The recombination process is faster for Potashnikov potential than for Cooper potential. 4) Concerning the Pu content, for Cooper potential it seems that the recombination processes is facilitated by the increase of the Pu content. For Potashnikov potential this tendency is less pronounced especially for the third-nearest neighbours.

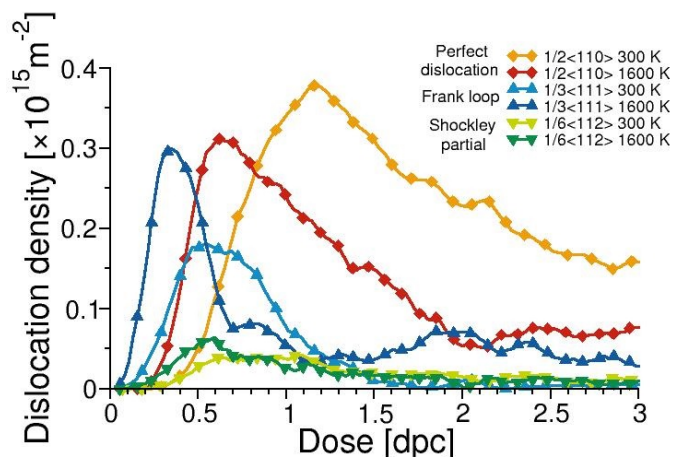


Figure 8: Evolution of dislocation densities as a function of dose (expressed in dpc) obtained with Potashnikov potential at 300 and 1600 K for 50% Pu. (circle)  $\frac{1}{3}\langle 111 \rangle$  Frank loops, (triangle)  $\frac{1}{6}\langle 112 \rangle$  Shockley partial dislocations, (star)  $\frac{1}{2}\langle 110 \rangle$  perfect dislocations.

Displacement cascades for PKA energies below the 10 keV show the same behaviour for both potentials: only a few point defects are created. Differences start to appear at 75 keV. For the Cooper potential, the recovery stage does not lead to full reconstruction of the fluorite structure. Instead, a large disordered region with no crystallographic atomic structure of several nanometers is found at the cascade core. In contrast, Potashnikov potential presents a quasi-total reconstruction of the fluorite structure. Although, large vacancy clusters corresponding to nanocavities of 1 nm size are consistently found in the cascade core. This suggests that recombination of defects is more effective with Potashnikov potential in agreement with results presented in the recombination part. No significant influence of the Pu content is found on this study.

Finally, the FP accumulation study was carried out to investigate the dose effect. Whatever the Pu content, Potashnikov potential presents a similar evolution in three main stages as the dose increases: accumulation of point defects that cluster and form Frank loops which in turn transform into perfect loop and dislocation lines. This behaviour is different for Cooper potential. With this potential at 300 K no dislocation is found. Nevertheless, at 1600 K dislocations form but only few Frank loops are observed suggesting a direct mechanism for the creation of perfect loops. Concerning the Pu content, a clear trend is found. The dislocation density decreases and dislocations appear for higher doses as the Pu content increases. Quantitatively, more dislocations are created with Potashnikov than with Cooper potential. Furthermore, with this method, no disordered region is observed even at high doses for both potentials.

Overall, this assessment shows that both potentials have advantages and disadvantages when studying radiation-induced damage in (U,Pu) $O_2$  solid solution. Cooper potential seems to be more sensitive to Pu content than Potashnikov potential. However, with Cooper potential, displacement cascades at high energies lead to very high disordered microstructure, which

seems to be contradictory with experimental results that show no amorphisation for  $UO_2$  or MOX even at high doses. Nevertheless, microstructure evolution with radiation dose studied with FPA method shows no amorphisation. We hypothesize that this difference of behaviour could be explained by the kinetics of the defect recovery. Therefore, this potential could be more suitable for fast kinetic radiation phenomena or for methods, like kinetic Monte-Carlo, where time-frame is less constrained.

## Acknowledgements

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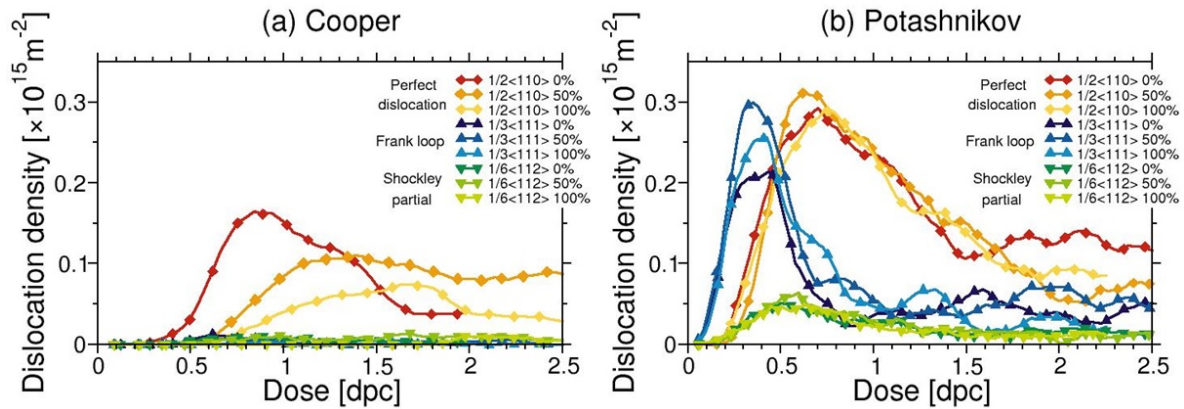


Figure 9: Evolution of dislocation densities as a function of dose (expressed in dpc) obtained with (a) Cooper and (b) Potashnikov potentials at 1600 K for 0%, 50%, and 100% Pu.

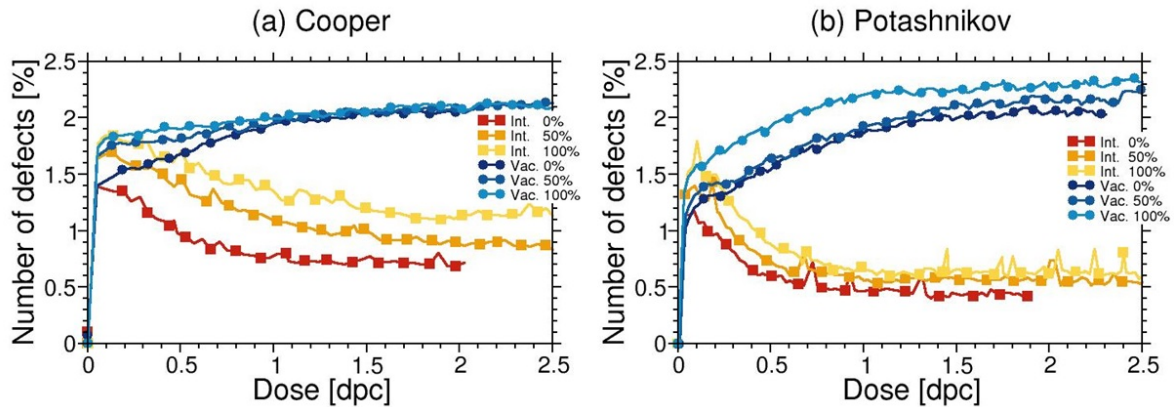


Figure 10: Evolution of the number of point defects (vacancy and interstitial) as a function of dose (expressed in dpc) obtained with (a) Cooper and (b) Potashnikov potentials at 1600 K for 0%, 50%, and 100% Pu.

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