



Self-optimisation using runtime code generation for Wireless Sensor Networks Internet-of-Things

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Self-optimisation using runtime code generation for Wireless Sensor Networks

Internet-of-Things Symposium
ESWeek Amsterdam

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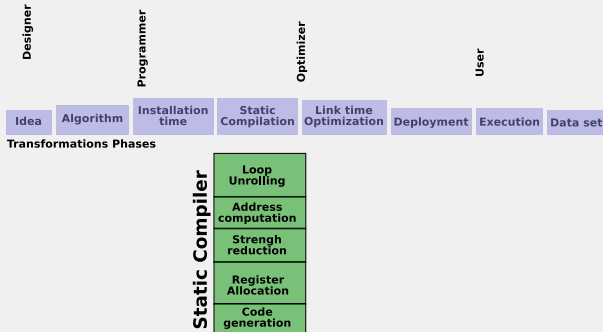
leti & list

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Classical Compiler architecture : GCC, LLVM, Java JIT

- Driven by performance only
- Mono architecture
- Not energy aware
- Not data dependent

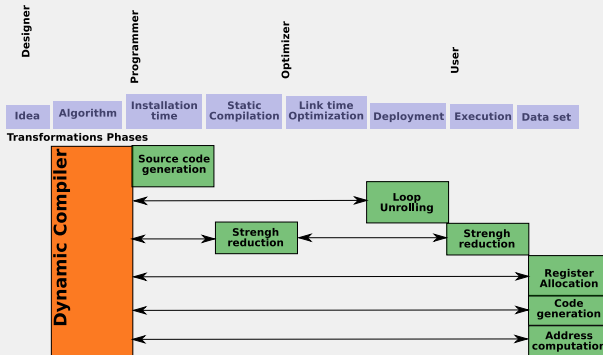
"Compilation time" typology



Future Compilers Architecture

- Multi objective (execution time, power, thermal constraints)
- Multi-target (Heterogeneous multi SoC)
- Data driven (dynamically)

Using "Compilation time"



Definitions

Static compilation “classical” binary code generation (gcc, icc, clang, ...)

Dynamic Compilation binary code generated at run-time (DBT)

JIT run-time dynamic compilation based on complex
Intermediate representation (Java, LLVM)

Innovations

Compilette : small binary code generator embedded into application able
to optimize code depending on data sets

deGoal : a tool which help to generate *Compilettes*

Architecture	Stat.	Features
ARM Cortex-A & M, [T2, VFP, NEON]	✓	SIMD, [IO/OoO]
STxP70 (STHORM / P2012)	✓	SIMD, VLIW (2-way)
K1 (Kalray MPPA)	✓	SIMD, VLIW (5-way)
PTX (CUDA Asm language)	✓	
ARM32	✓	
MIPS	Ⓢ	32 bits
MPS430 (TI)	✓	Up to < 1kB ram

- Cross code generation supported (generate code for STxP70 from ARM Cortex-A)
- IO / OoO : different insn scheduling for both mode

■ Simple program example:

```
void gen_vector_add(void *buffer, int vec_len, int val)
{
```

```
#[
    Begin buffer Prelude vec_addr

    Type int_t int 32 #(vec_len)
    Alloc int_t v

    lw v, vec_addr
    add v, v, #(val)
    sw vec_addr, v
]#
```

```
}
```

Source to source converted
to standard C code

Standard C code

■ Simple program example:

```
void gen_vector_add(void *buffer, int vec_len, int val)
{
  #[
    Begin buffer Prelude vec_addr

    Type int_t int 32 #(vec_len)
    Alloc int_t v

    lw v, vec_addr
    add v, v, #(val)
    sw vec_addr, v
  ]#
}
```

When executed

Memory:

```
ldr r1, [r0]
add r1, #1
str r1, [r0]
add r0, #4
ldr r2, [r0]
add r2, #1
str r2, [r0]
add r0, #4
```


■ Simple program example:

```
void gen_vector_add(void *buffer, int vec_len, int val)
{
  #[
    Begin buffer Prelude vec_addr

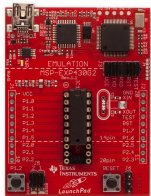
    Type int_t int 32 #(vec_len)
    Alloc int_t v

    lw v, vec_addr
    add v, v, #(val)
    sw vec_addr, v
  ]#
}
```

Inline run-time
constants

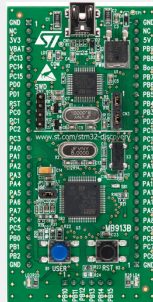


Example MSP430



- LaunchPad Development Kit
- TI Micro controller
- 16-bit Ultra-Low-Power Microcontroller,
- 1KB Flash
- 128B RAM

Example STM32



- ST Micro microcontroller
- ARM Cortex-M 32 processor

- Micro-controllers lack dedicated HW support for arithmetic computing
 - No FP unit
 - Sometimes, even no integer multiplier!
- Illustration on floating-point multiplication,
- But applicable to many other operations!

Example : simple float multiplication, compiled for TI's MSP430

```

float fmul (float a, float b) {
    return (a*b);
}

1  c630: mov r8, r12
2  c632: mov r9, r13
3  c634: mov r6, r14
4  c636: mov r7, r15
5  c638: call #0xc9d6 ;<__mulsf3>
6  c63c: mov r14, r12
7  c63e: mov r15, r13
8  c640: mov r10, r14
9  c642: mov r11, r15
    
```

- `__mulsf3` costs ~ 1000 cycles per invocation

Reference

- gcc's generic version of the float multiplication routine
- Precision $p = 24$

```
/* tgcc */
float fmul (float M, float X) {
    return (M*X);
}
```

Our approach

- Runtime specialization of the float multiplication routine
- Precision $p \leq 24$

```
1 /* tgen: code generation */
2 float (*) (float) fmulM;
3 fmulM = generate_fmml_code(M, p);
4
5 /* tdyn: run the generated routine
6 float fmul (float X) {
7     return fmulM(X);
8 }
```

t_{gcc} : execution time of gcc's multiplication routine

t_{gen} : execution time of code generation

t_{dyn} : execution time of the generated fmulM function

t_{gcc} : execution time of gcc's multiplication routine

t_{gen} : execution time of code generation

t_{dyn} : execution time of the generated `fmulM` function

Speedup :

$$s = \frac{t_{dyn}}{t_{gcc}} \quad (1)$$

Overhead recovering :

$$n = \frac{t_{gen}}{t_{gcc} - t_{dyn}} \text{ so that } t_{gen} + n.t_{dyn} \leq n.t_{gcc} \quad (2)$$

FP Multiplication algorithm (X, Y)

- Special case handling (denormal, zero, NaN)
- Unpack X, Y
- Mantissa multiplication
- Renormalize
- Repacking
- Rounding

Optimization potential

- Skip unnecessary steps
- Value specialization

$$F = \text{mul}(M, X)$$

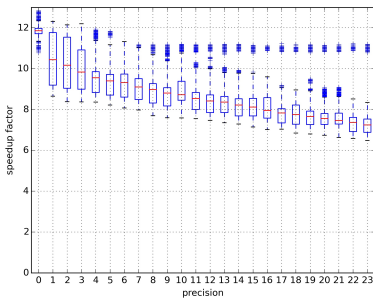
ALGORITHM 1: Floating-Point Multiplication with Horner scheme

Input: Floating-point operands M and X to be multiplied (M is known, X is unknown).

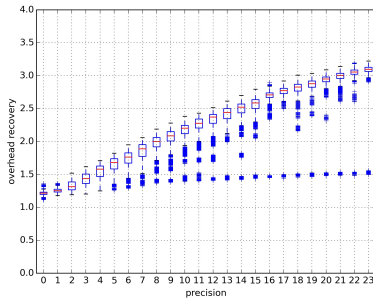
Output: The result $M \times X$ of the multiplication.

```
 $i \leftarrow 0;$   
 $detection \leftarrow 1;$   
 $result \leftarrow X;$   
while not ( $\text{mantissa}(M) \ \&\& \ (1 \ll i)$ ) do  
   $i \leftarrow i + 1;$   
end  
for  $i \leftarrow i + 1$  to  $\text{len}(\text{mantissa}(M))$  do  
  if  $\text{mantissa}(M) \ \&\& \ (1 \ll i)$  then  
     $result \leftarrow (result \ll detection) + X;$   
     $detection \leftarrow 1;$   
  end  
  else  
     $detection \leftarrow detection + 1;$   
  end  
end  
 $result \leftarrow (result \ll detection);$   
return  $result$ 
```

Speedup



Overhead recovering



- Demonstration that runtime code generation is a realistic goal
 - on a 16-bit micro-controller
 - with only 512 bytes of RAM
- Efficiency : $10\times$ faster floating-point multiplication
(when one of the two operands is a runtime constant)
- Greater genericity : extra flexibility on precision
- 50% increase performance on an IIR application (7 coeff.)
- Further work : automatic runtime code generation embedded in `libm`

In IoT

- Generalize the arithmetic library
 - Other operators (trigonometry, ...)
 - Network stacks

Other domains

- High Performance Computing
- Power Consumption driven
- Code polymorphism
 - Online optimization
 - Cryptography